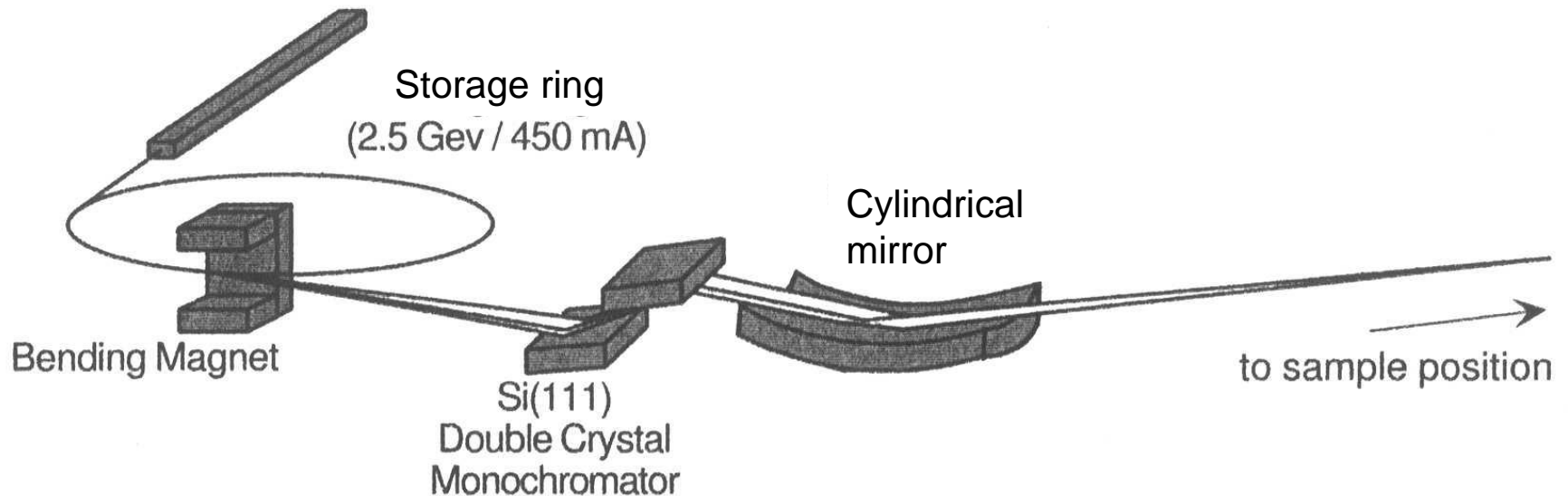


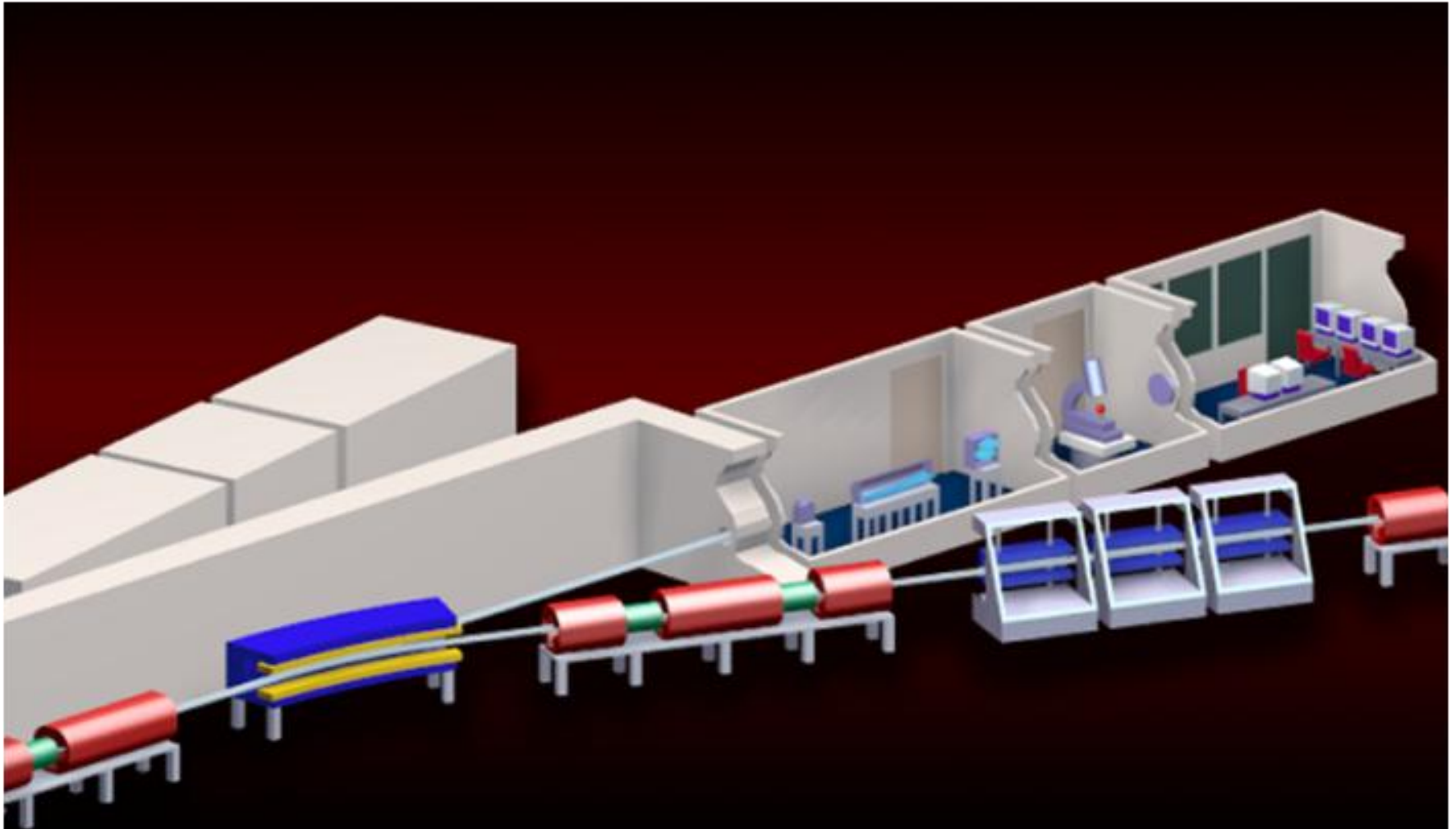
# Beamline organization

This is a typical x-ray beamline.  
Optics hutch contains elements for conditioning the x-ray beam

LINAC (Linear Accelerator)



# How does a beamline work?

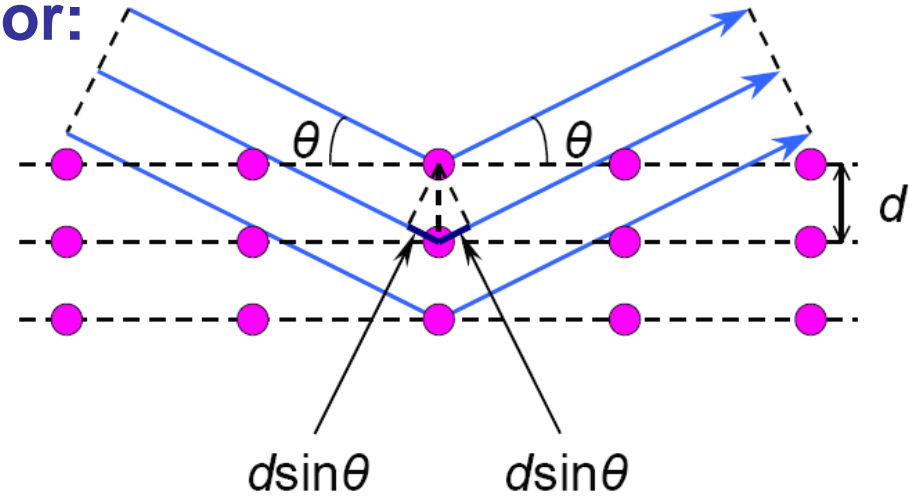


# X-ray monochromator using perfect crystal

## Basic principle of monochromator:

Bragg reflection from perfect single crystal

$$2d_{hkl} \sin\theta = n\lambda$$



# Energy range of standard monochromator

Bragg Reflection

- Si 111
- Si 311
- Si 511

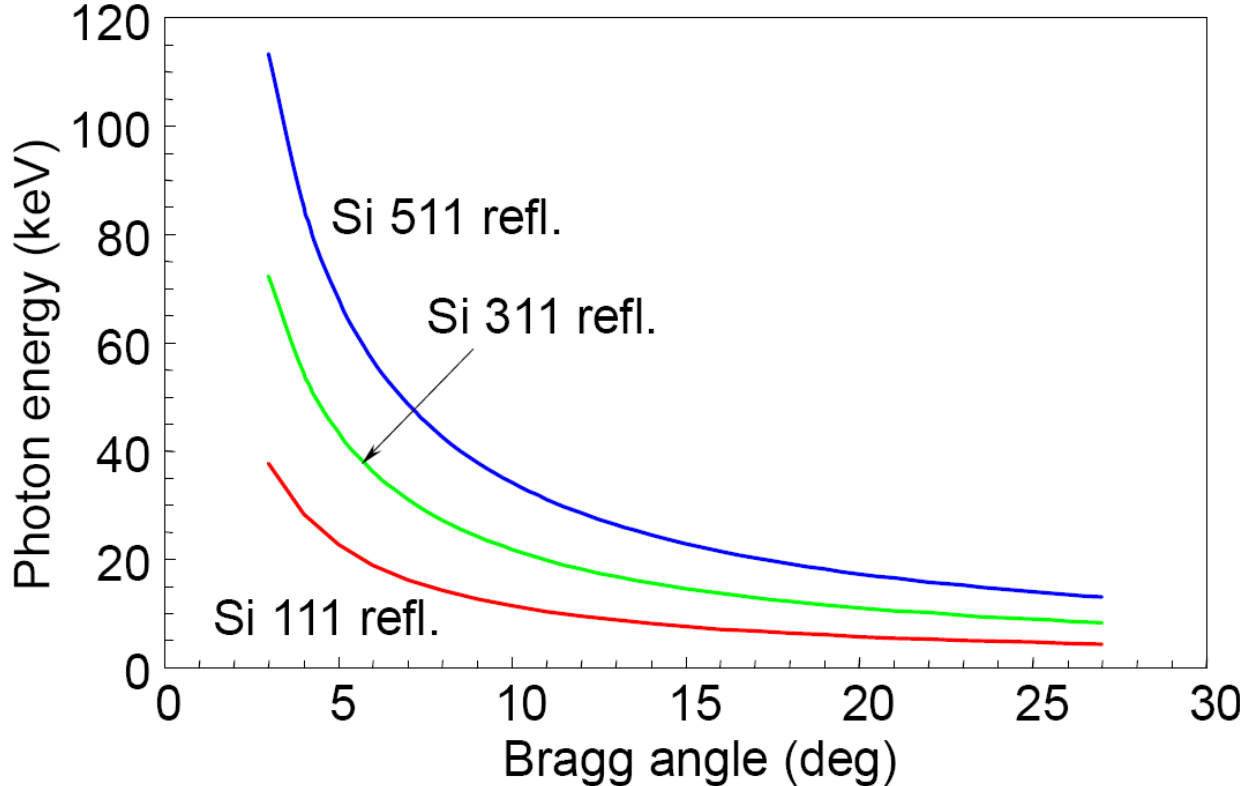
.....

Bragg angles

3~27°

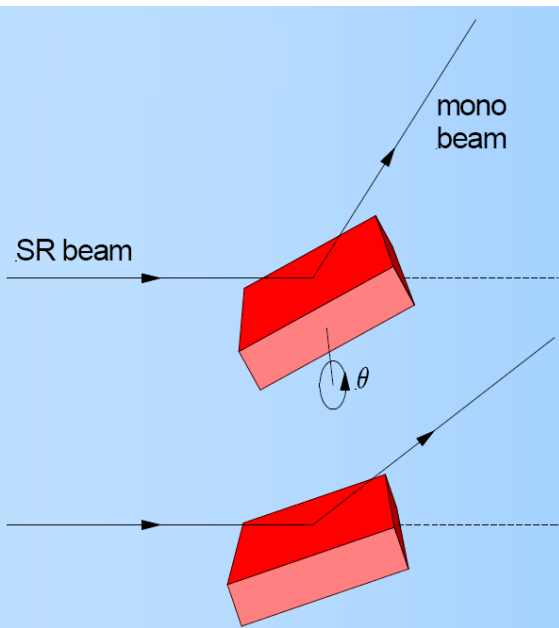
Energy range

4.4~110 keV



**Photon energy (wavelength) can be selected by crystal, net planes, and Bragg angle.**

# Double crystal monochromator



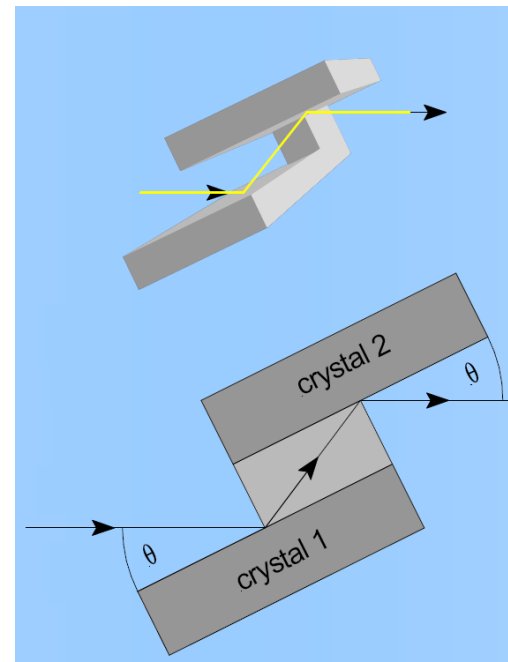
## Problems with single crystal monochromators

- the monochromatic beam moves when the energy is changed
- high harmonic content
- big tails

## Solution: double crystal design!

Simplest design: cutting a channel for the beam in a silicon block (channel cut monochromator)

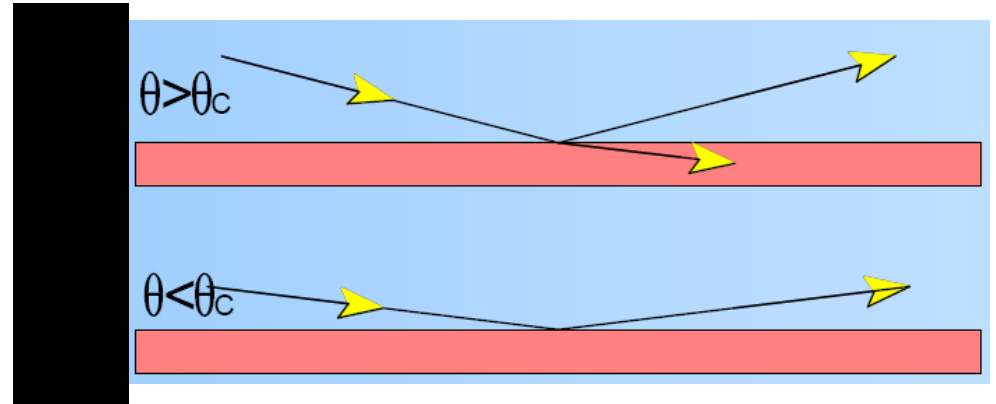
- Use the same crystals and  $d$ -spacing for 1<sup>st</sup> and 2<sup>nd</sup> crystals
- Keep parallel setting



# X-ray Mirrors

reflectivity at grazing angles:

refractive index:  $n = 1 - r_0 \rho \lambda^2 / 2\pi - i \mu \lambda / 4\pi$

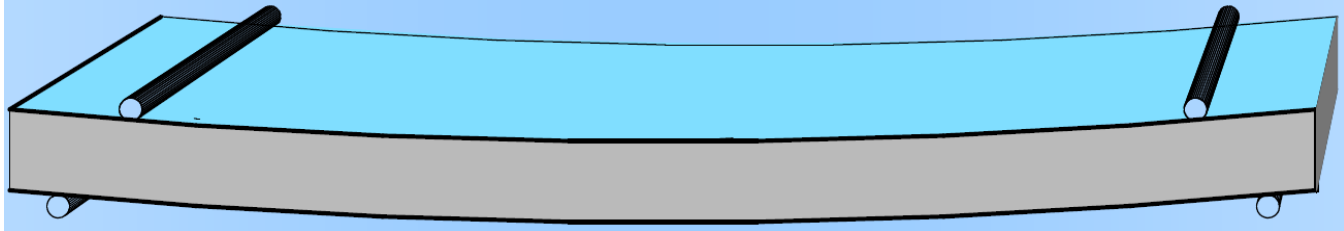


By Snell's law ( $n_1 \cos(\theta_1) = n_2 \cos(\theta_2)$  with  $\theta$  the grazing angle) in the absence of absorption (total reflection), we find total external reflection for angles less than  $\theta_c \approx \lambda(r_0 \rho / \pi)^{1/2}$

$\theta_c$  typically a few mrad for x-ray mirrors

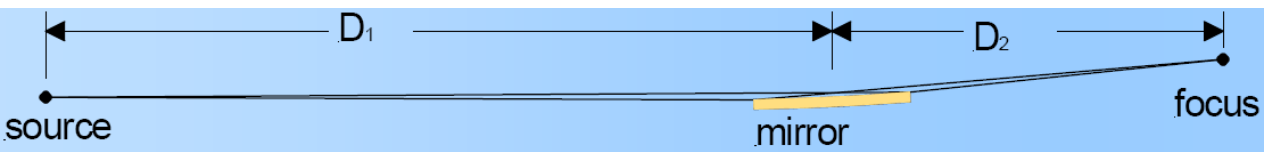
Surface roughness must be considered around critical energy (angle).

# Bent mirrors (focusing and collimating)



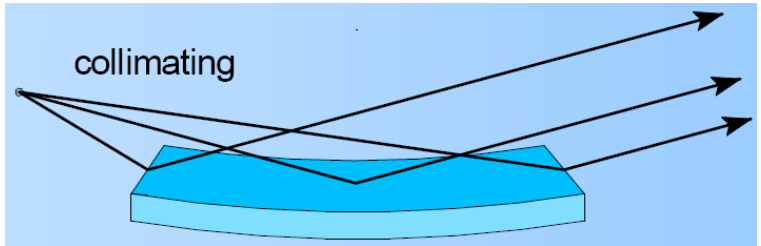
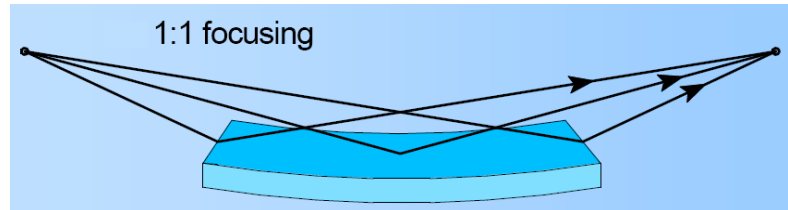
Focusing of the x-ray beam → reflecting surface must have some curvature (achieved e.g. by bending mirror, **mirror focuses in one plane only!**)

Bending radius  $R$  (can be  $\sim 10$  km)



$$R = \frac{2D_1D_2}{\theta(D_1 + D_2)}$$

imaging the source in the vertical direction with unity magnification (1:1 focusing)



improving energy resolution of a following monochromator by production of a parallel beam (collimating)

# Free electron laser (FEL)

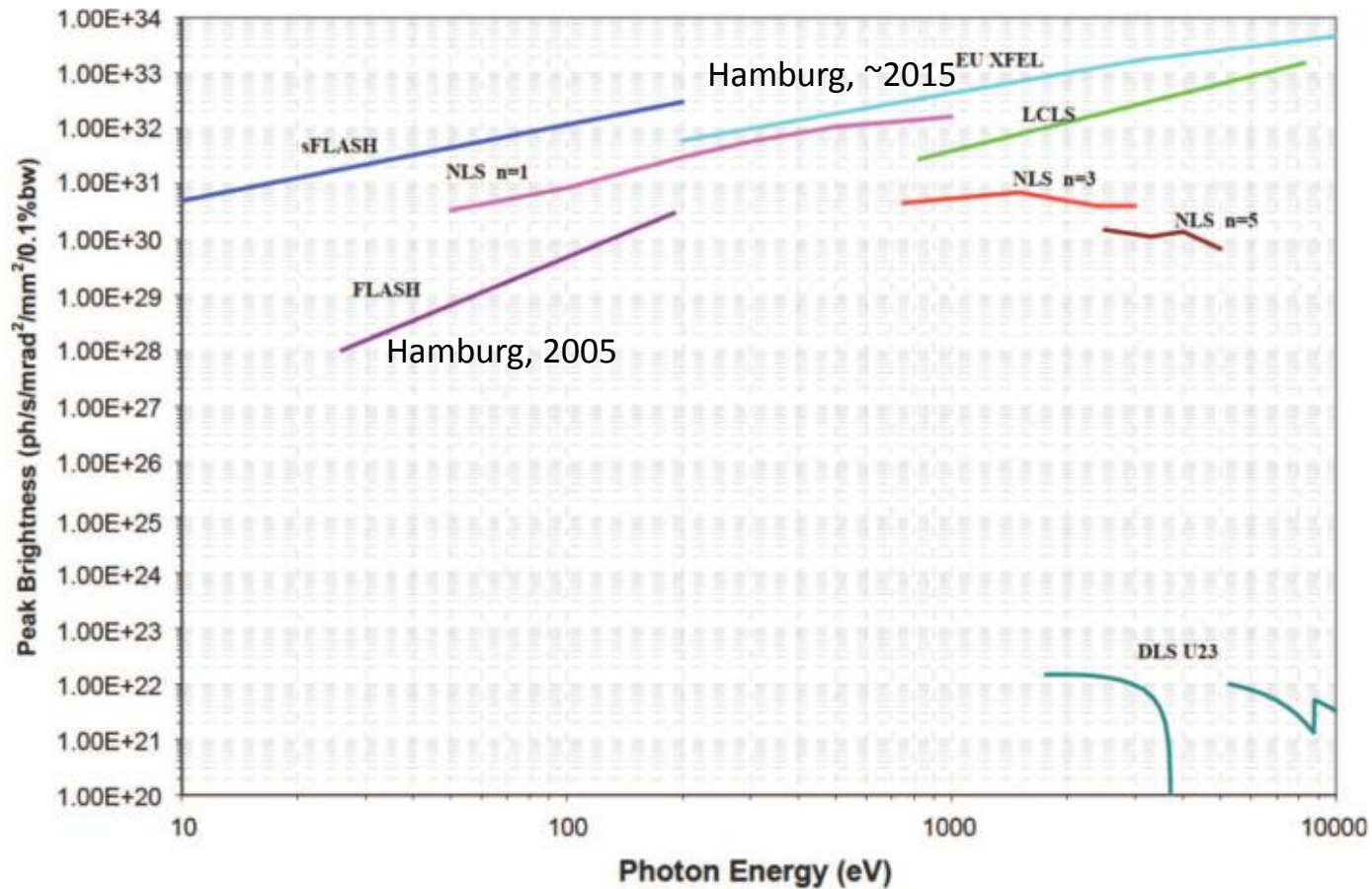


Figure 1. Comparison of several recently commissioned FELs (FLASH and LCLS) and several planned FELs (sFLASH, Euro XFEL, NLS) with a state-of-the-art undulator beamline on the Diamond Light source. The standard definition of brightness is given in photons/unit time/unit solid angle/unit area/normalised bandwidth. Courtesy of STFC, New Light Source Conceptual Design Report (2010) [1].



# SASE – spontaneous amplified self-emission

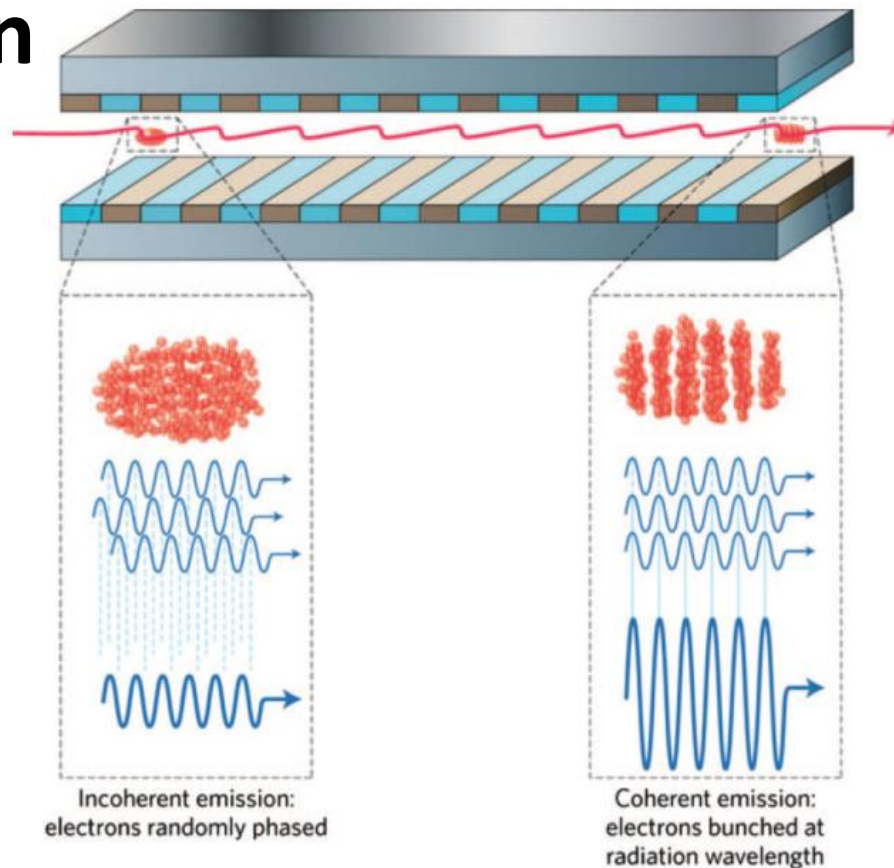
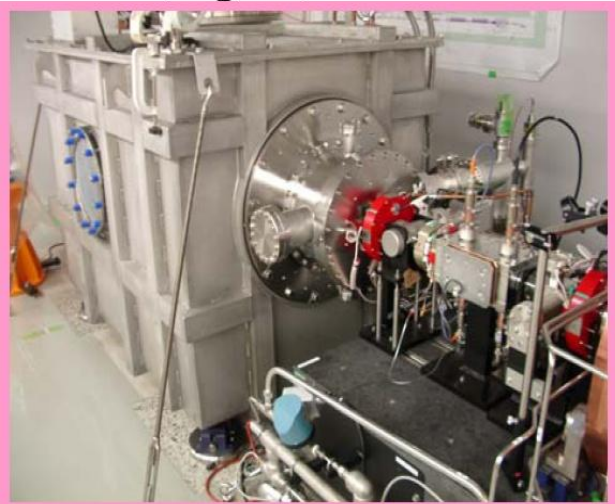
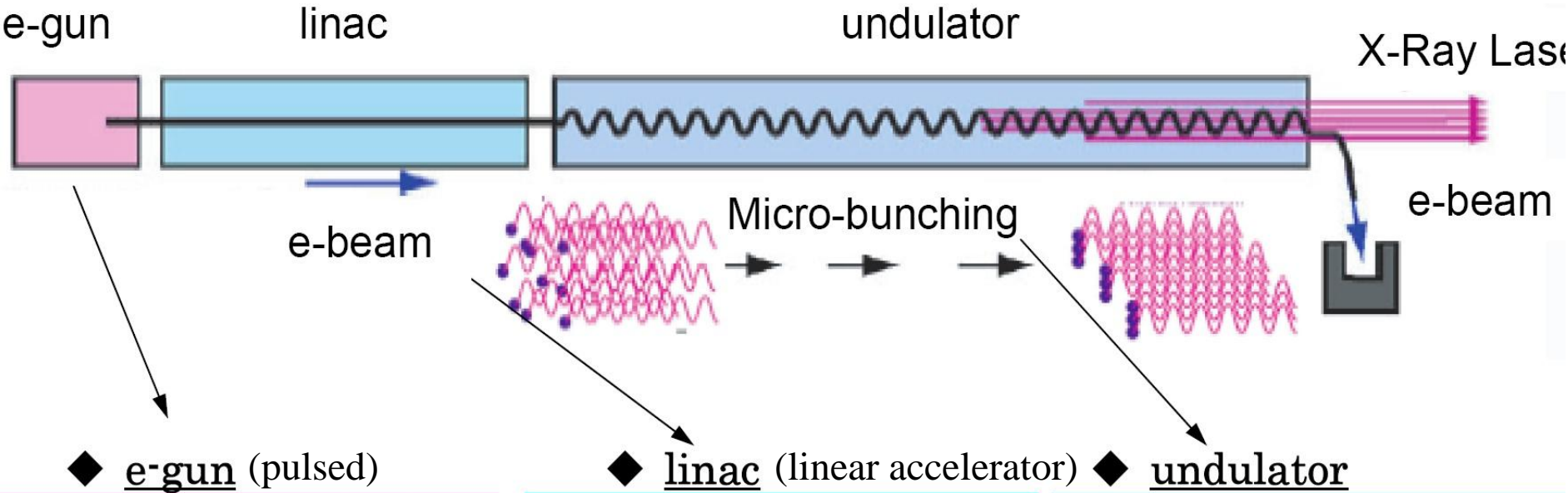


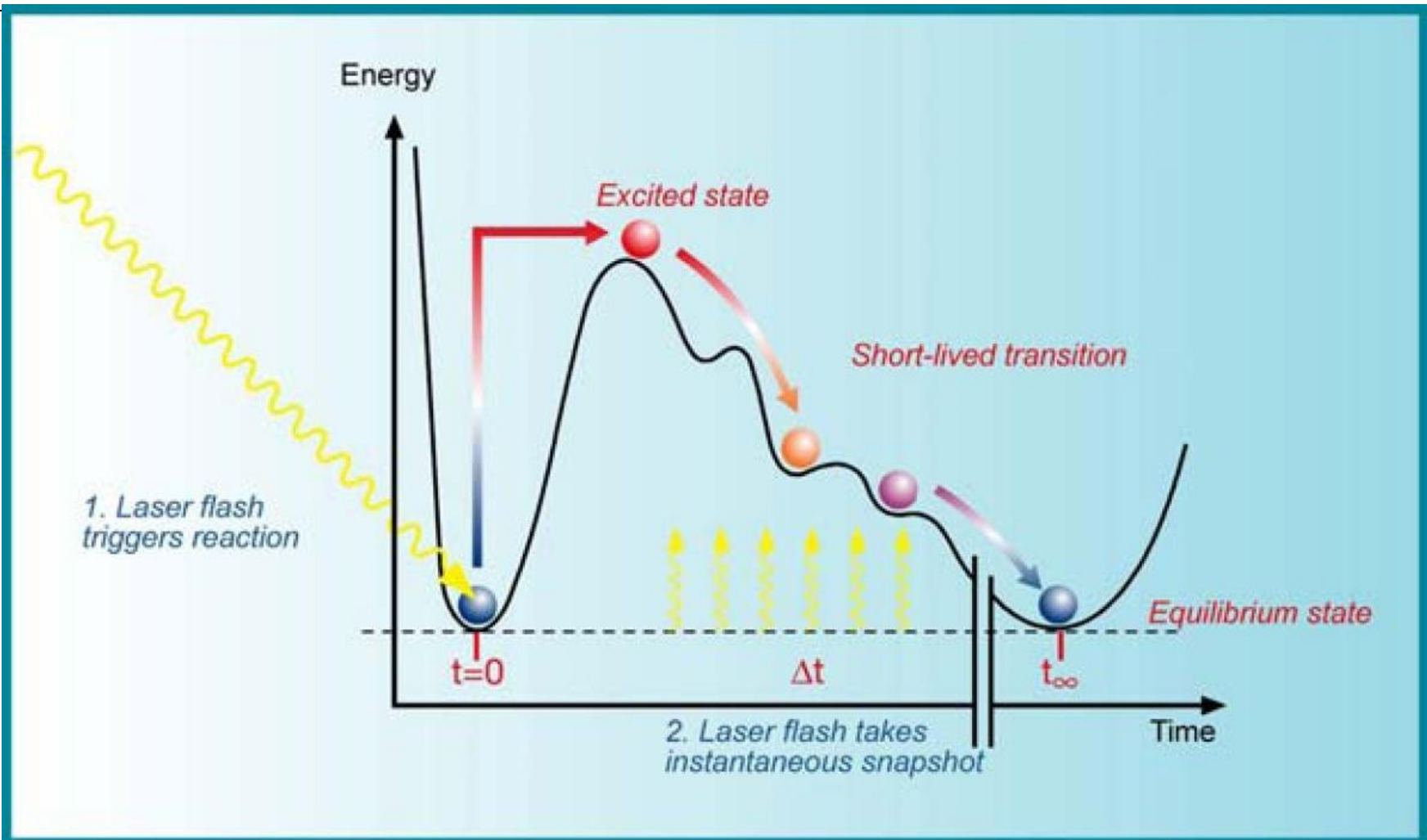
Figure 3. Schematic of SASE operation where the oscillation induced in the electron beam by the periodic magnetic field leads to radiation emission and, at the end of a sufficiently long undulator, self-organisation of the electrons gives rise to coherent X-ray emission. Reprinted by permission from Macmillan Publishers Ltd., Nature Photonics, B.W.J. McNeil and N.R. Thompson, *X-ray free electron lasers*, Nature Photonics, 4 (2010), pp. 814–821, copyright (2010).

# Linac-based Free Electron Laser Self-Amplified Spontaneous Emission (SASE)

Principle design (SPring-8, Japan):

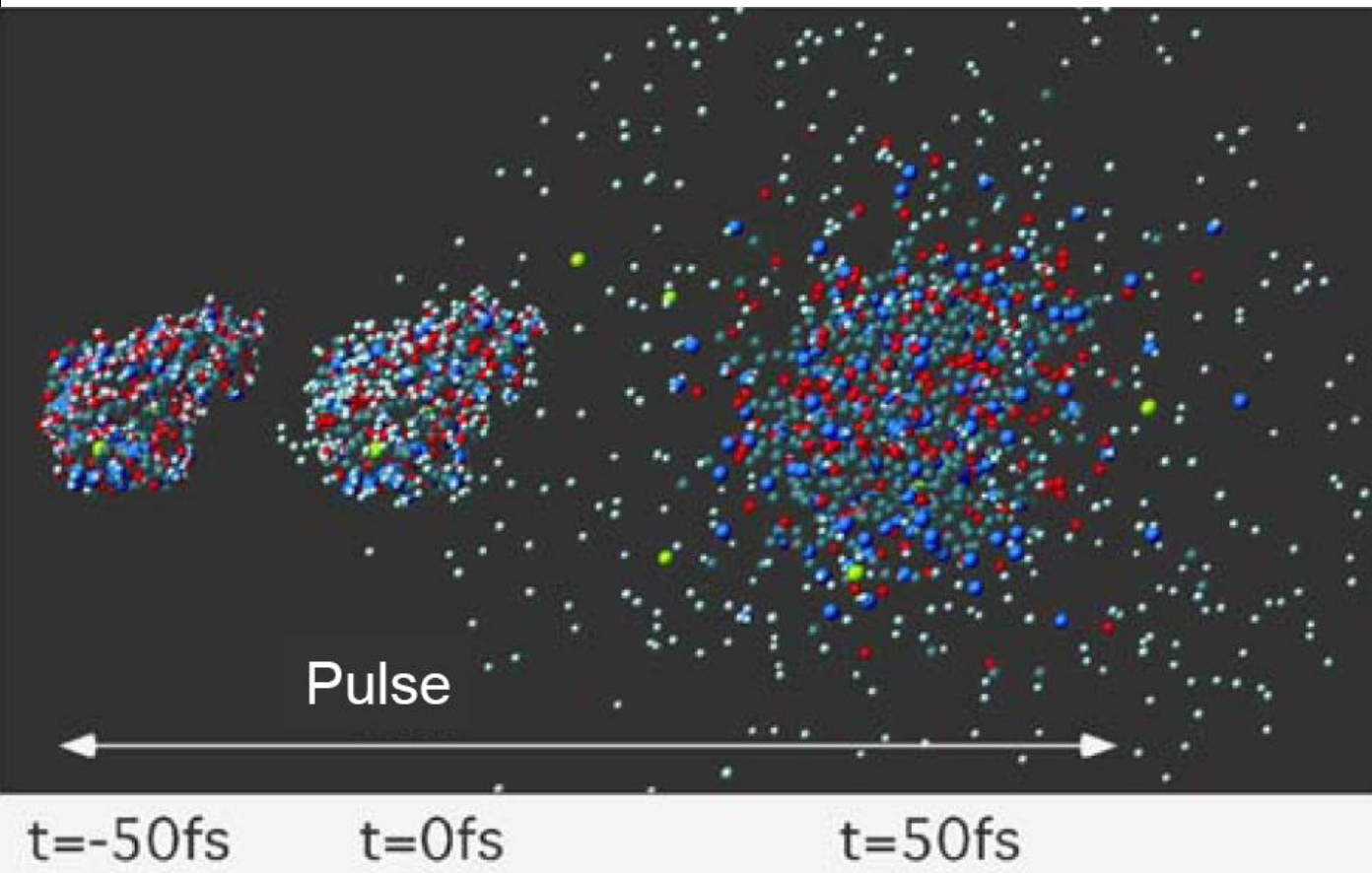


## Pump-probe experiment



Snapshots for different times after excitation  
("pump-probe experiment")  $\Rightarrow$  "film" of the reaction

## Obstacle: Coulomb-Explosion



### Example:

Lysozyme  
white: Hydrogen,  
grey: Carbon,  
blue: Nitrogen,  
red: Oxygen,  
yellow: Sulfur

**Requirement:** Pulse must be short enough and not too intense,  
to take picture before molecule disintegrates !

# Properties of vacuum

	monolayer	molecular	mean free
pressure	time constant	density	path
p [mbar]	t (s)	n [m <sup>-3</sup> ]	l [m]
1,00E+03	3E-09	2E+25	8E-09
1,00E+00	3E-06	2E+22	8E-06
1,00E-03	3E-03	2E+19	8E-03
1,00E-06	3E+00	2E+16	8E+00
1,00E-09	3E+03	2E+13	8E+03
1,00E-12	3E+06	2E+10	8E+06
1,00E-15	3E+09	2E+07	8E+09

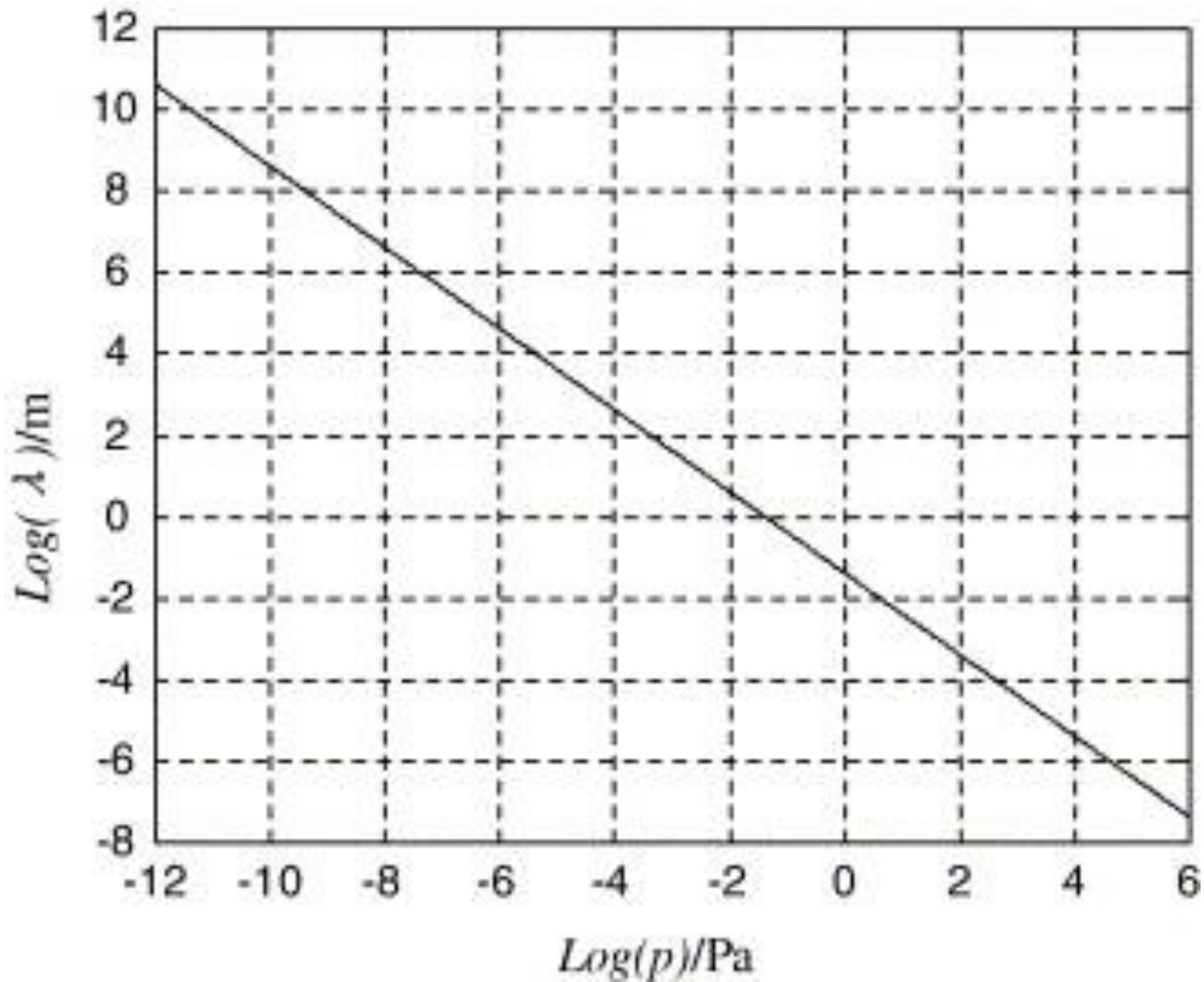
# Pressure regimes



1E-24 1E-21 1E-18 1E-15 1E-12 1E-9 1E-6 1E-3 1 1000

P [mbar]

# Mean free path of electrons

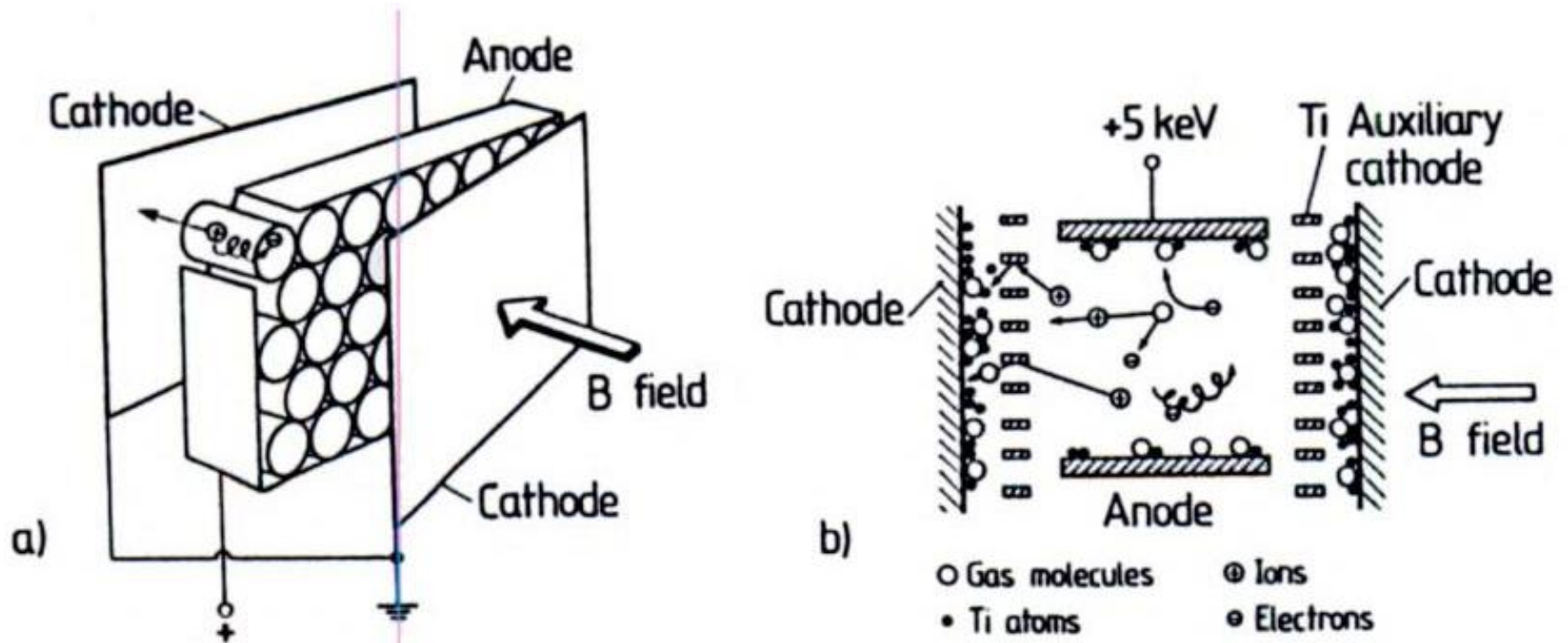


# Turbomolecular pump





# Ion pump

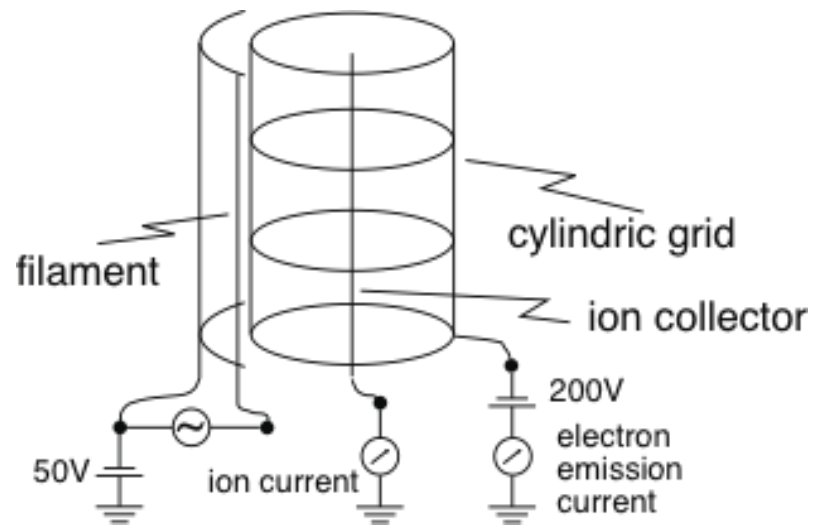


**Fig. I.7a,b.** Schematic view of an ion-getter pump: (a) The basic multicell arrangement. Each cell consists essentially of a tube-like anode. The cells are sandwiched between two common cathode plates of Ti, possibly together with auxiliary cathodes of Ti. (b) Detailed representation of the processes occurring within a single cell. Residual gas molecules are hit by electrons spiralling around the magnetic field  $B$  and are ionized. The ions are accelerated to the cathode and/or auxiliary cathode; they are trapped on the active cathode surface or they sputter Ti atoms from the auxiliary cathode, which in turn help to trap further residual gas ions

# CF-flange

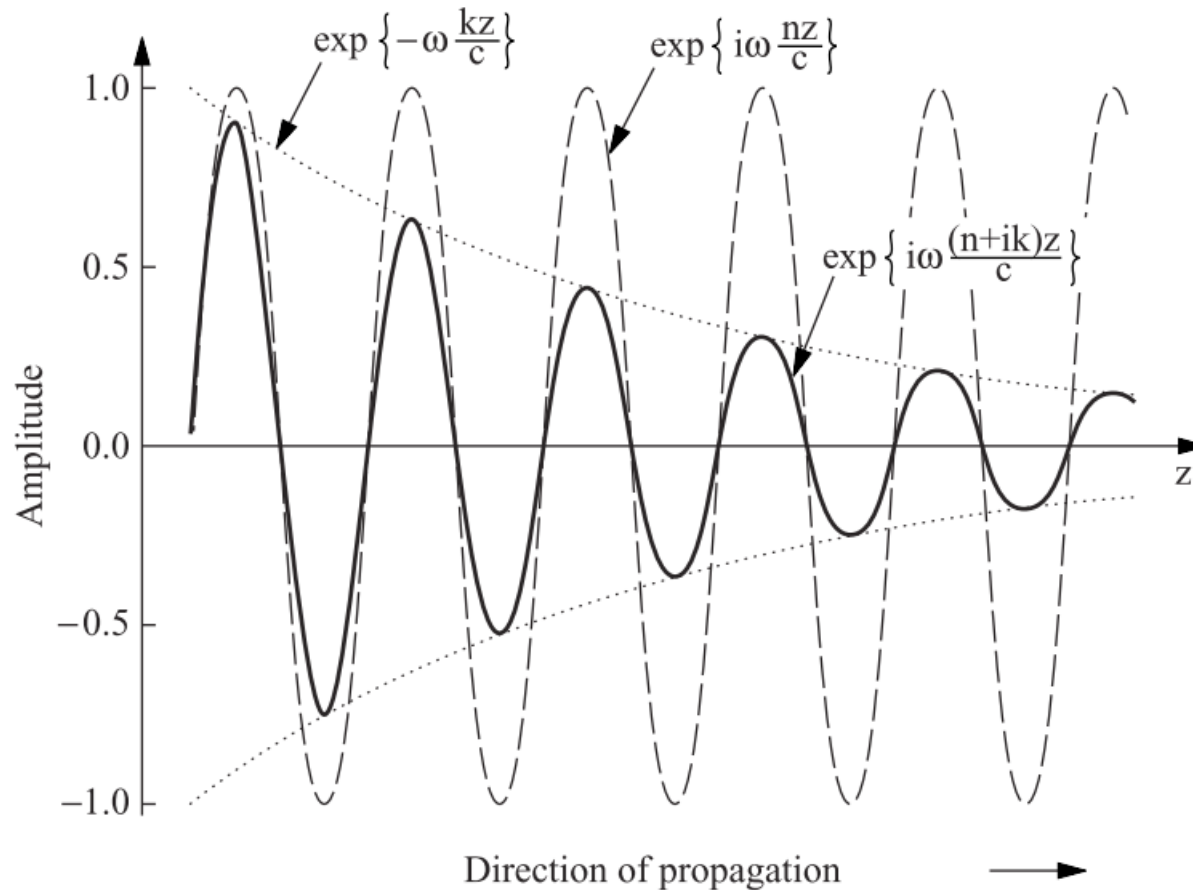


# Ionization gauge

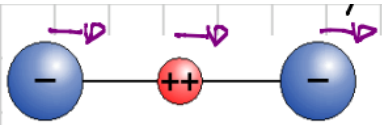


# Electromagnetic wave in mater

$$\vec{E} = \vec{E}_0 e^{-\frac{k\omega}{c} \vec{n}_q \cdot \vec{r}} e^{i(\frac{n\omega}{c} \vec{n}_q \cdot \vec{r} - \omega t)}$$



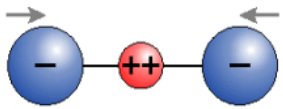
# Drude-Lorentz-model



translation



odd ( $\rightarrow$  infrared active) couples to  $\vec{E} = \vec{E}_0 e^{-i\omega t}$  ( $q \neq 0$ )

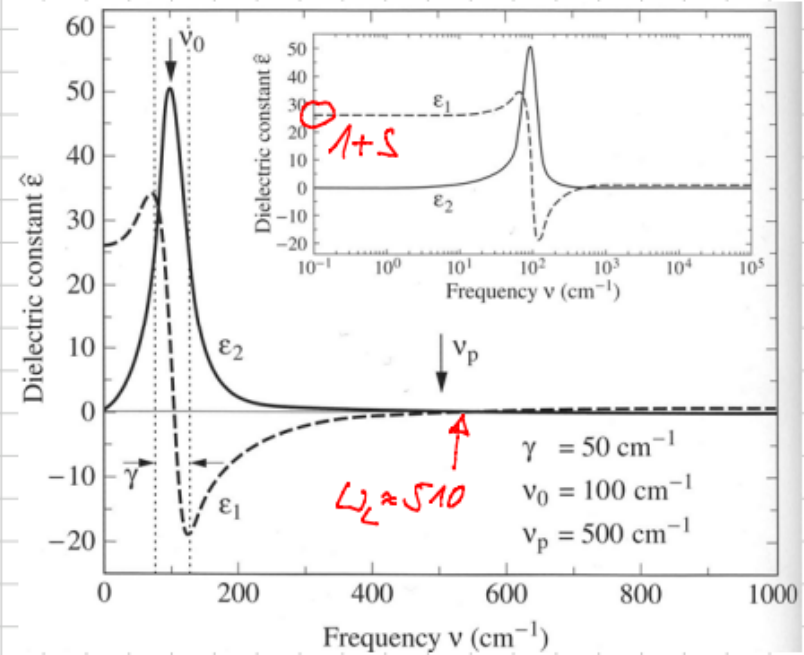
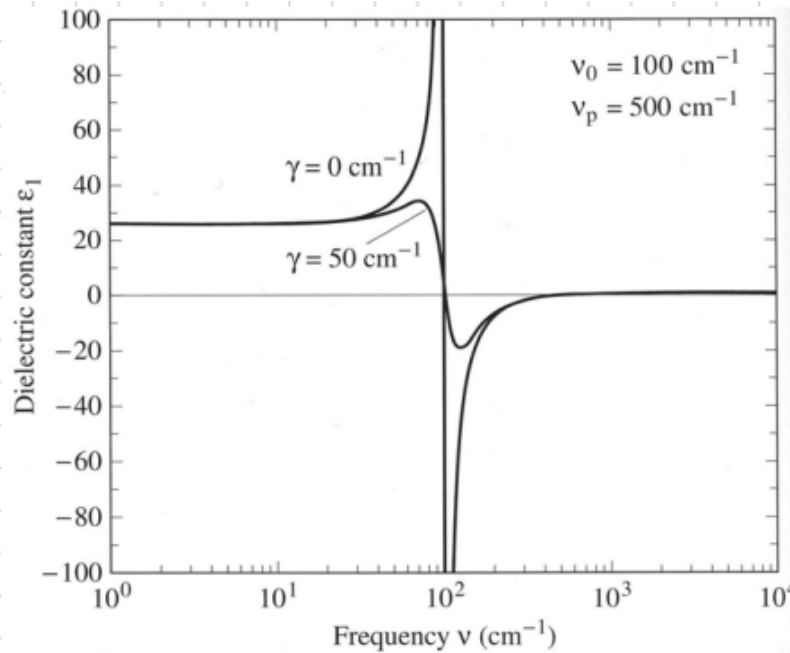


even ( $\rightarrow$  Raman)

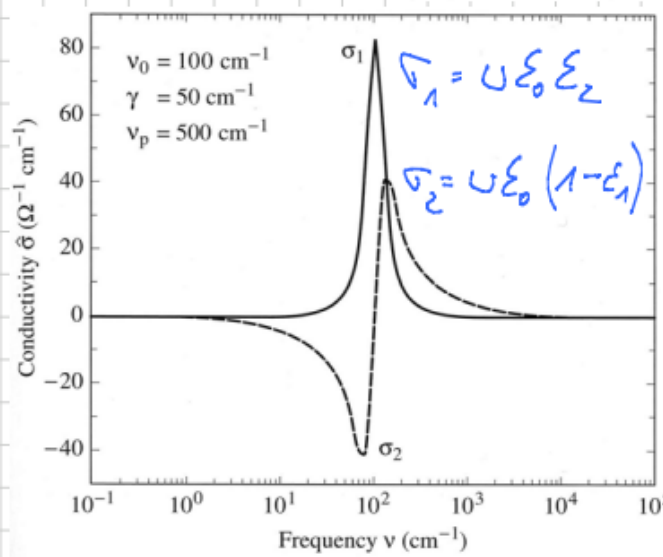
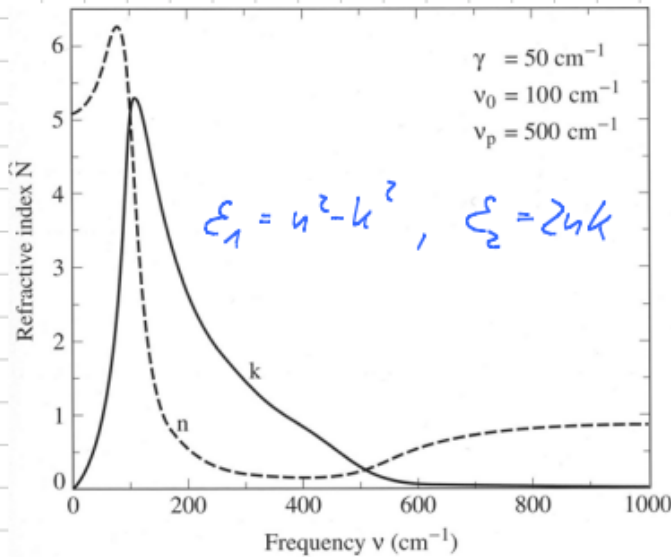


# Examples for Lorentz oscillators

example  
Lorentz  
oscillator



(Dressel)



$$\epsilon = 1 + \frac{\omega_p^2}{\omega_0^2 - \omega^2 - i\gamma\omega}$$

$$\epsilon_1(\omega_0) = 0$$

$$\epsilon_2(\omega_0) = \frac{\omega_p^2}{\gamma\omega_0}$$

→ δ-function for  $\gamma=0$

$$J = \frac{\omega_p^2}{\omega_0} = \Delta\epsilon$$