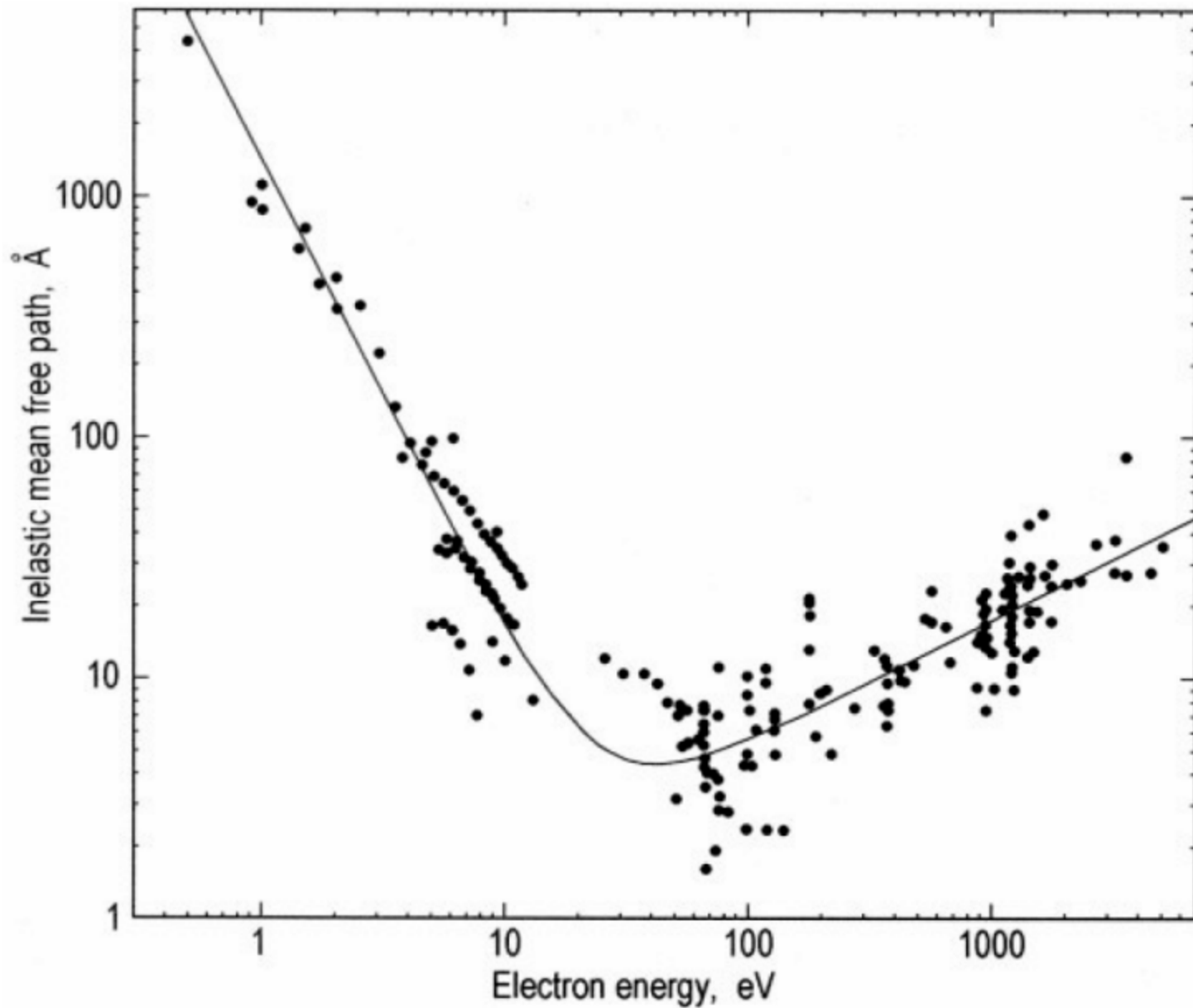


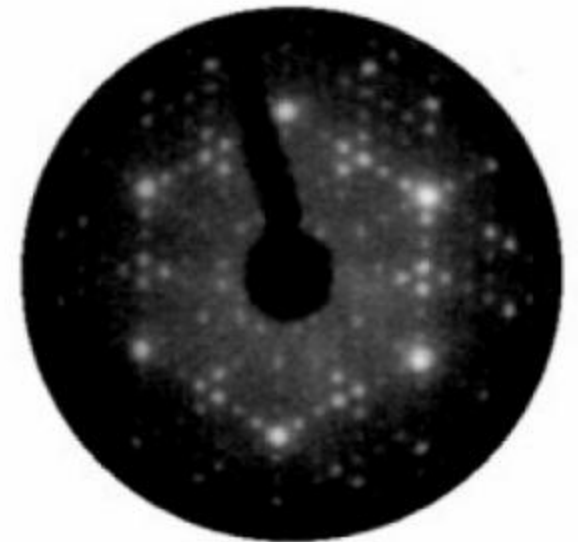
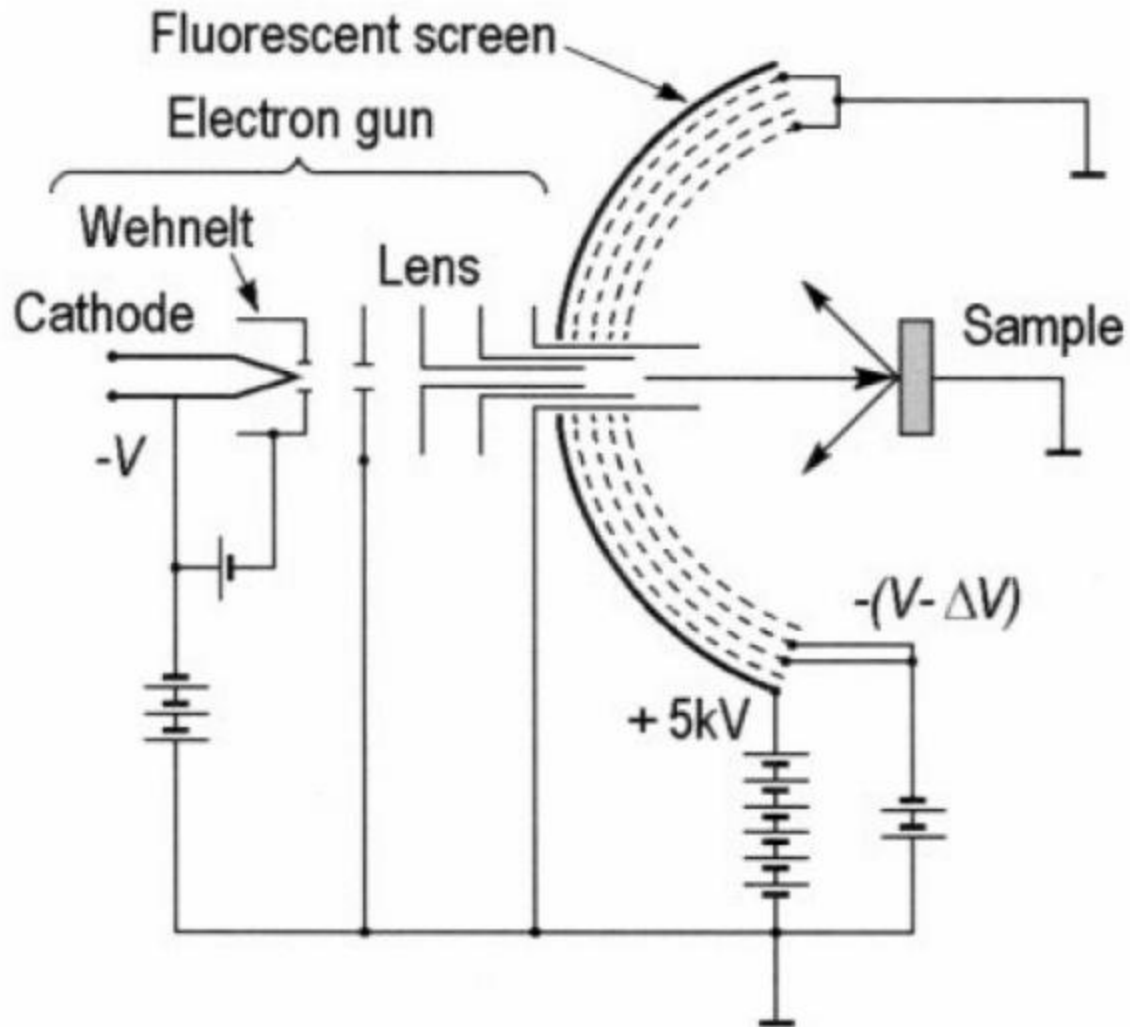
The Universal Curve for the Electron Mean Free Path





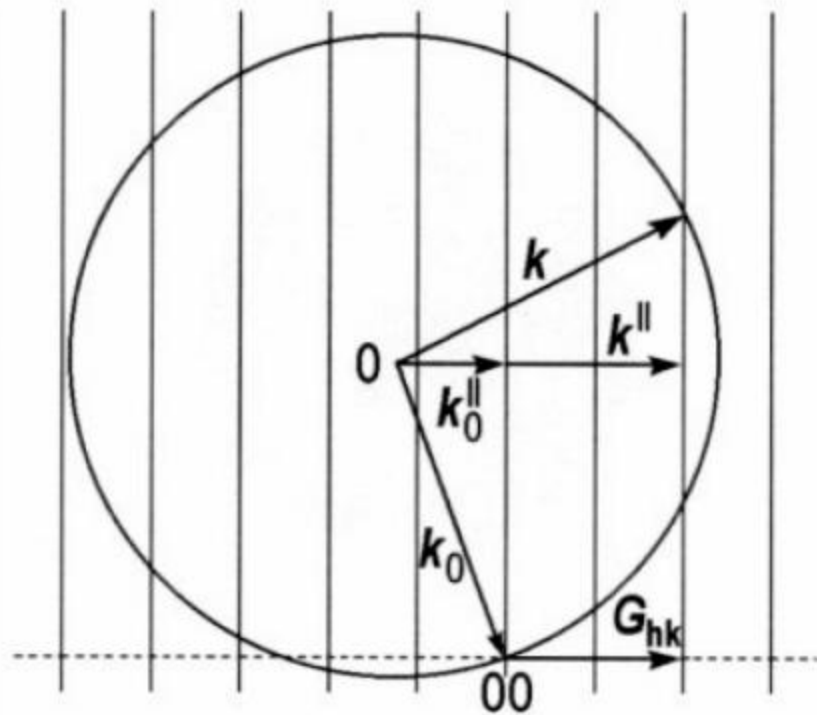
**Nobel price in physics 1937 for Davisson
(shared with Thomson) *"for their experimental
discovery of the diffraction of electrons by
crystals"***

Schematics for a Rear View LEED System



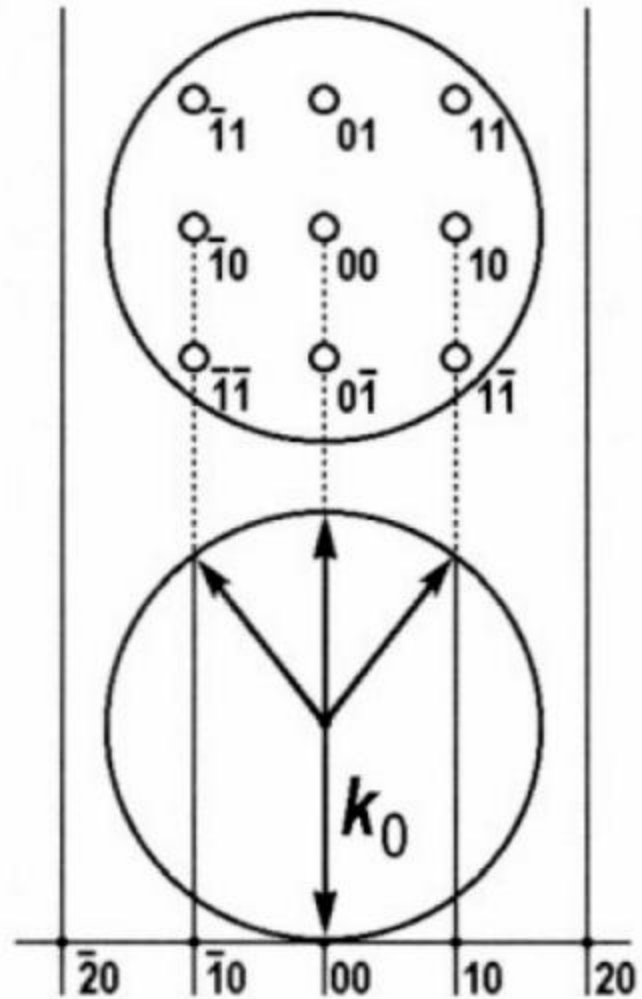


Ewald Construction for a 2D Lattice



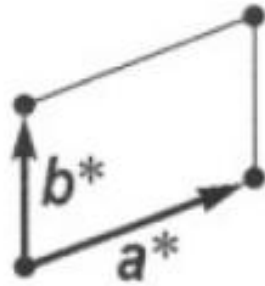
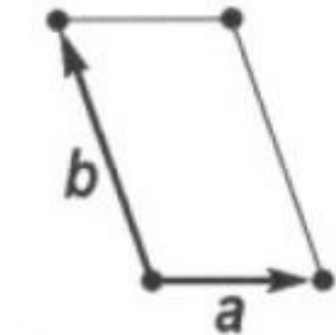
$$k^{\parallel} - k_0^{\parallel} = G_{hk}$$

general situation

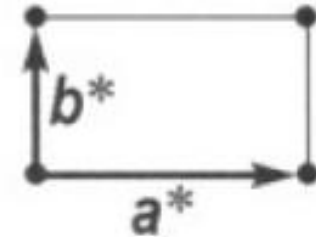
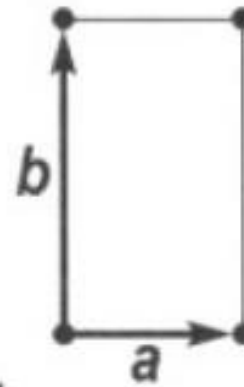


spot indexing and typical LEED situation with normal electron incidence

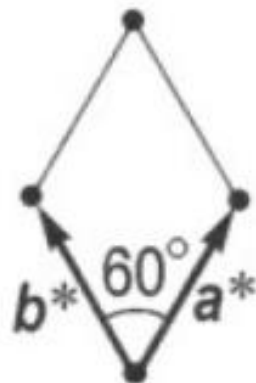
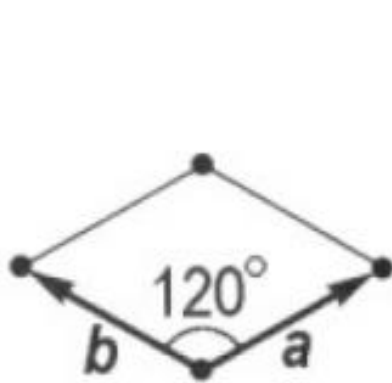
2D Real Space and Reciprocal Space Unit Meshes and Primitive Translations



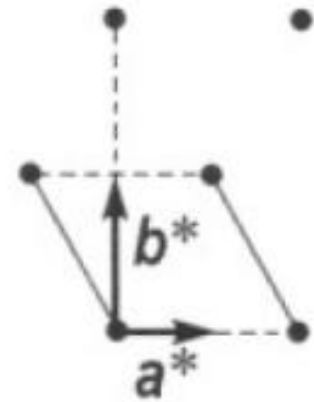
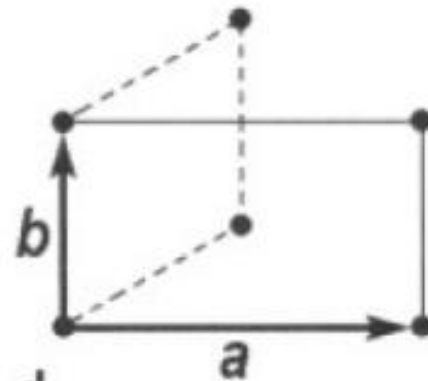
a



b



c

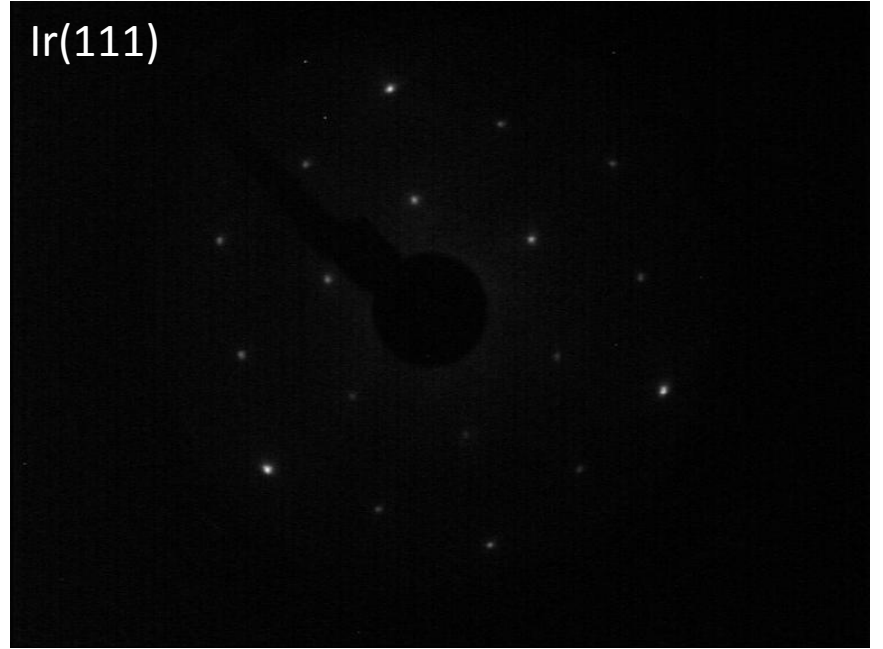


d

Ir(100)

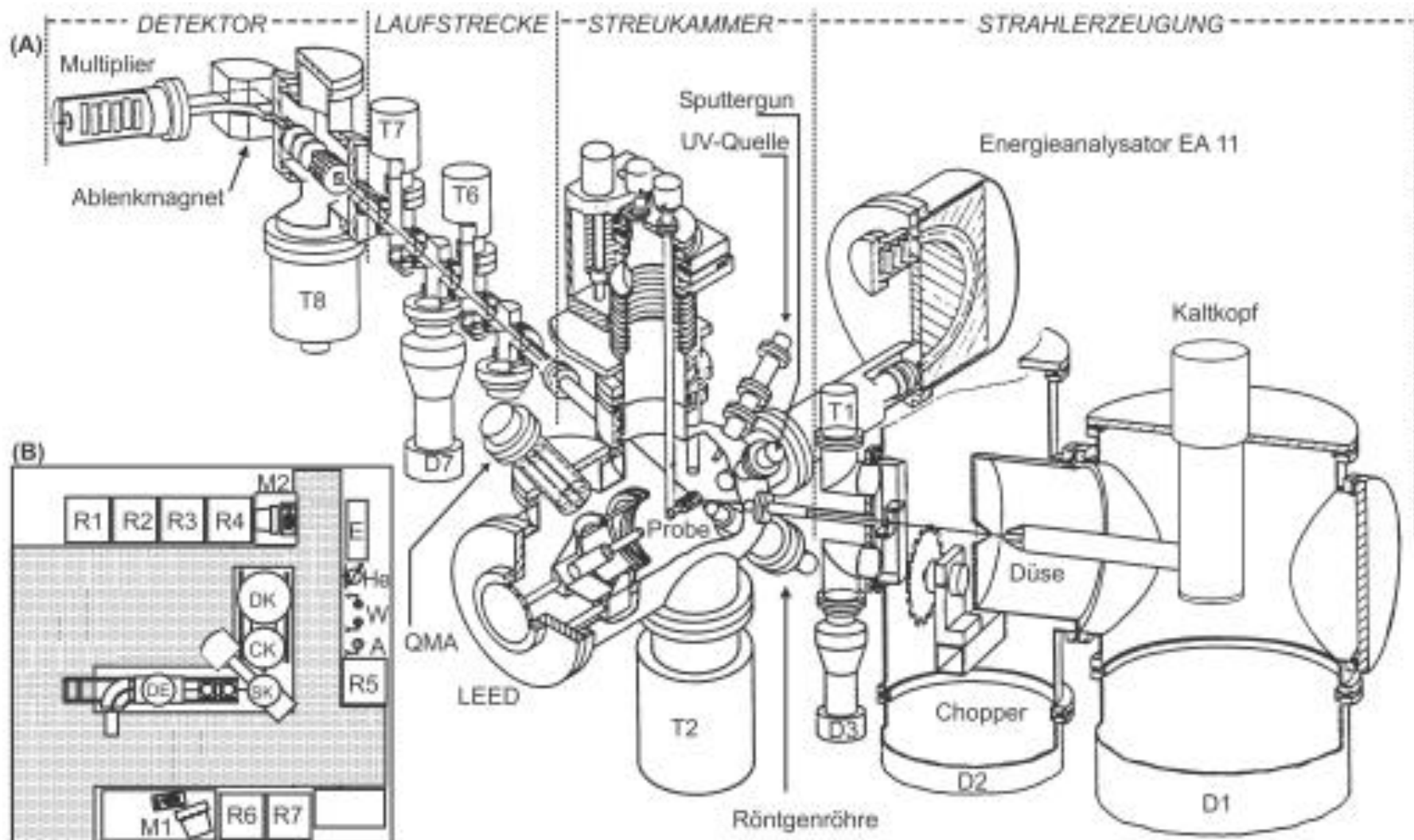


Ir(111)





Nobel price in physics 1943 *"for his contribution to the development of the molecular ray method (and his discovery of the magnetic moment of the proton)"*



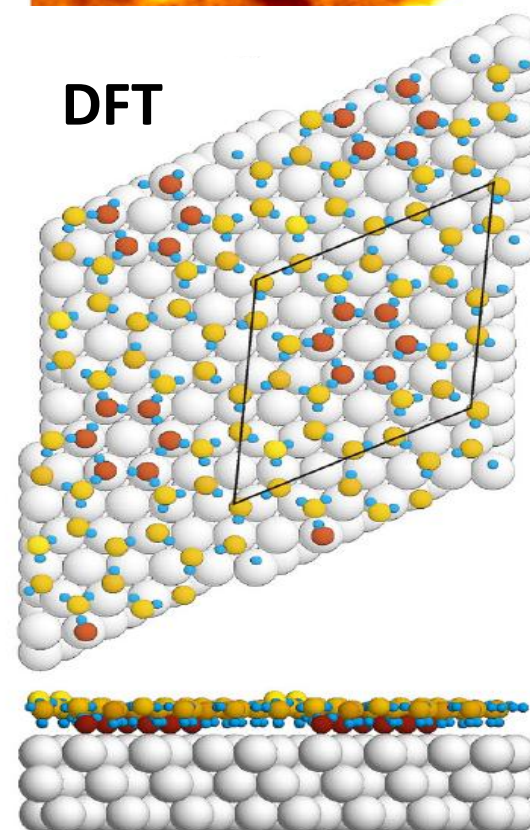
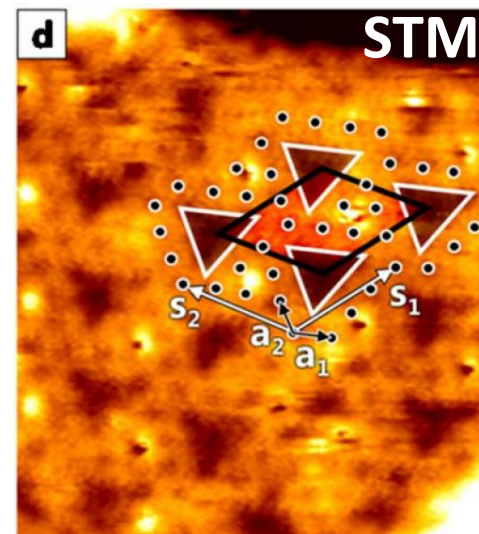
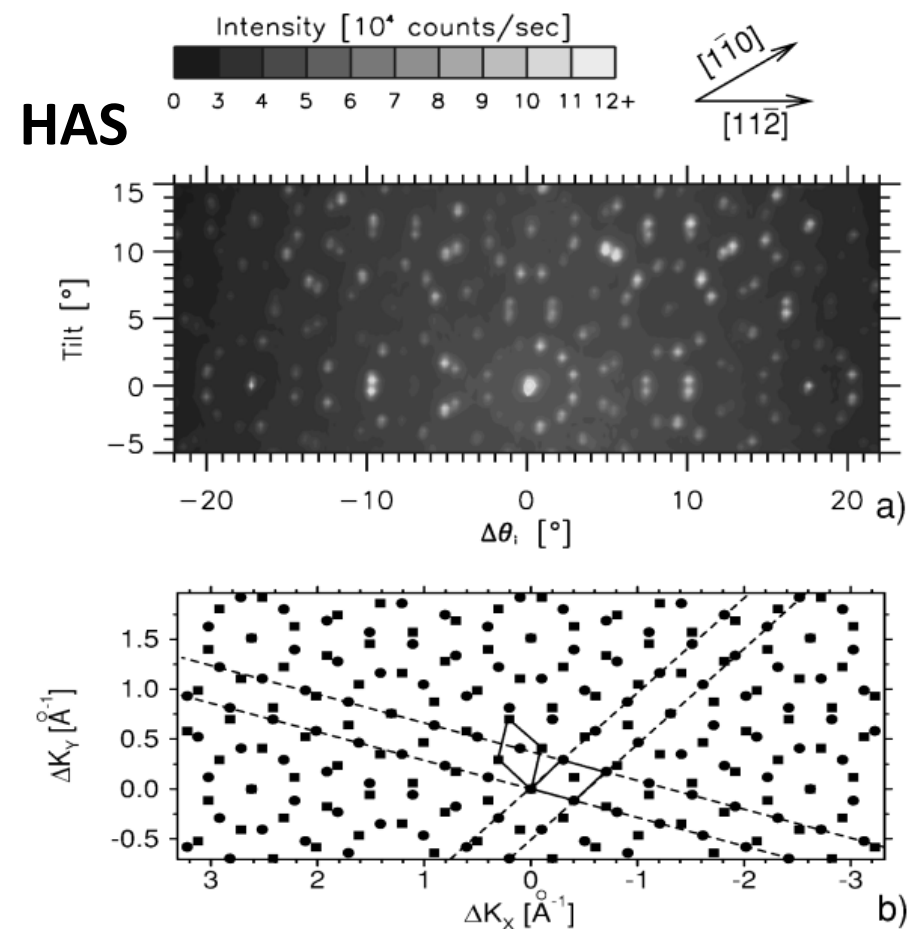
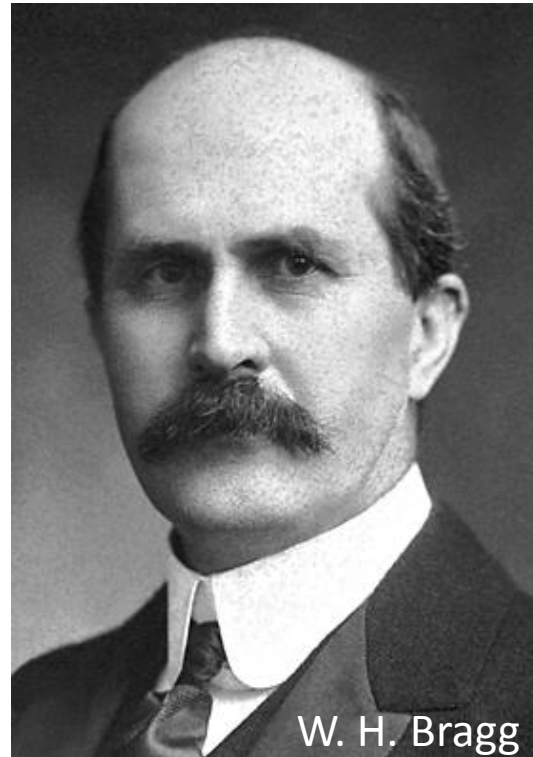


FIG. 2. (a) Two-dimensional helium diffraction pattern for a complete bi-layer (Phase II) of D_2O on Pt(111) at an incident helium energy of 22 meV, and a temperature of $T_s = 130$ K. The complete diffraction pattern can be constructed from two domains of an epitaxially rotated water overlayer whose reciprocal unit cells are $(\sqrt{39} \times \sqrt{39})R16.1^\circ$, as shown in (b). The two different domains are shown by the filled circles and squares, respectively. Exactly the same diffraction pattern was observed for H_2O .

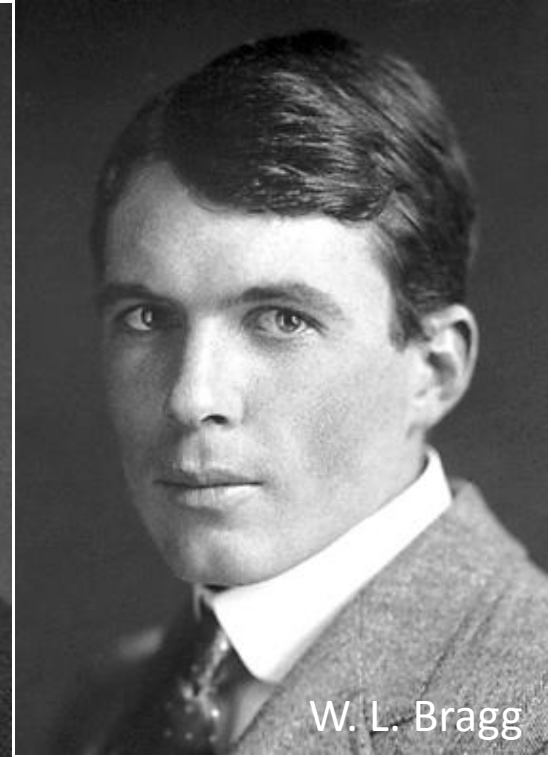


M. von Laue

Nobel price in physics 1914 *"for his discovery of the diffraction of X-rays by crystals"*

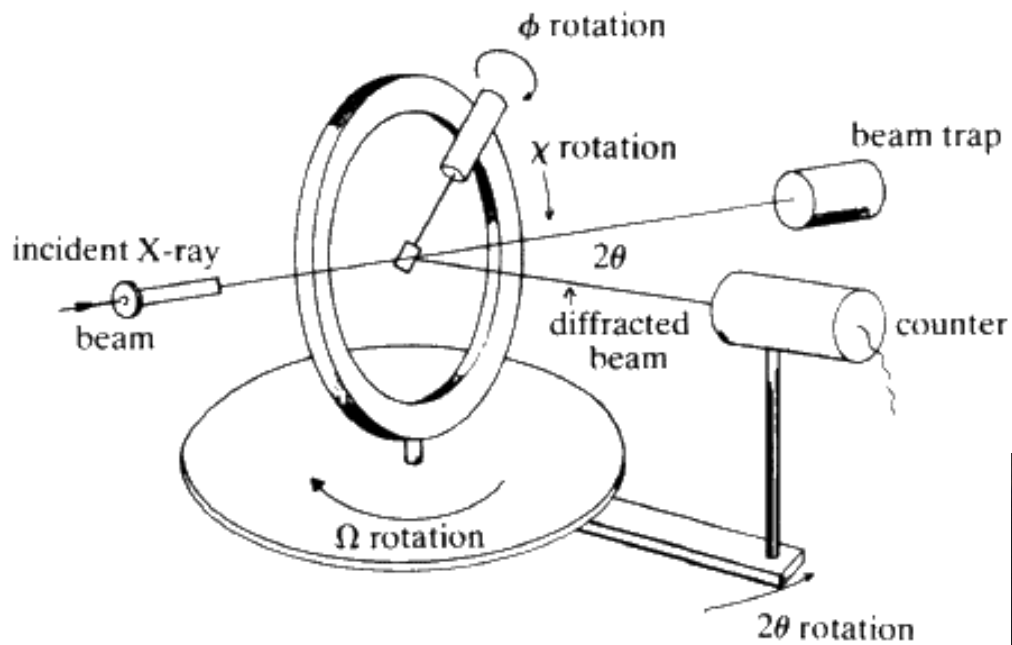


W. H. Bragg



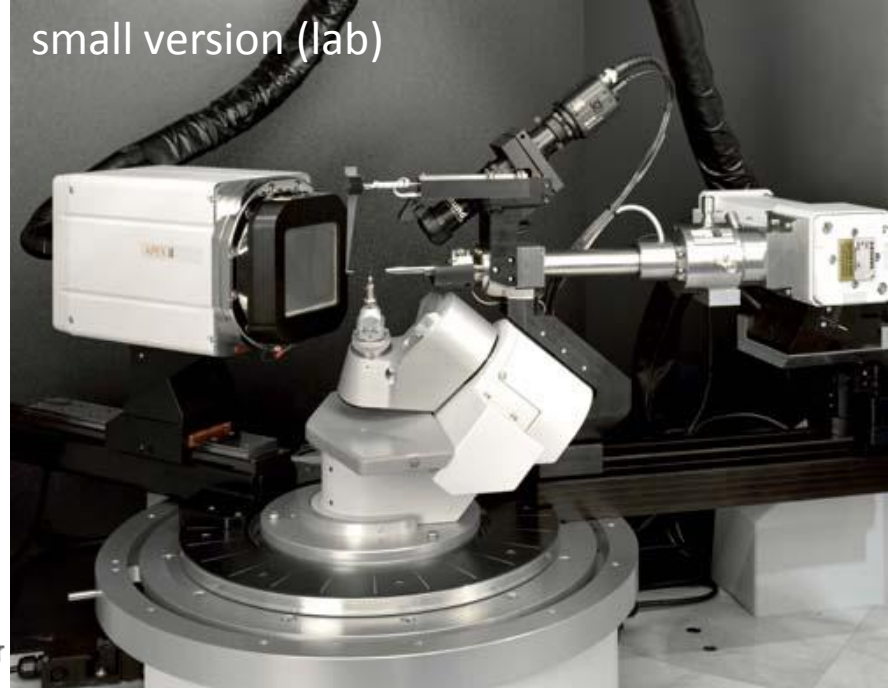
W. L. Bragg

Nobel price in physics 1915 *"for their services in the analysis of crystal structure by means of X-rays"*

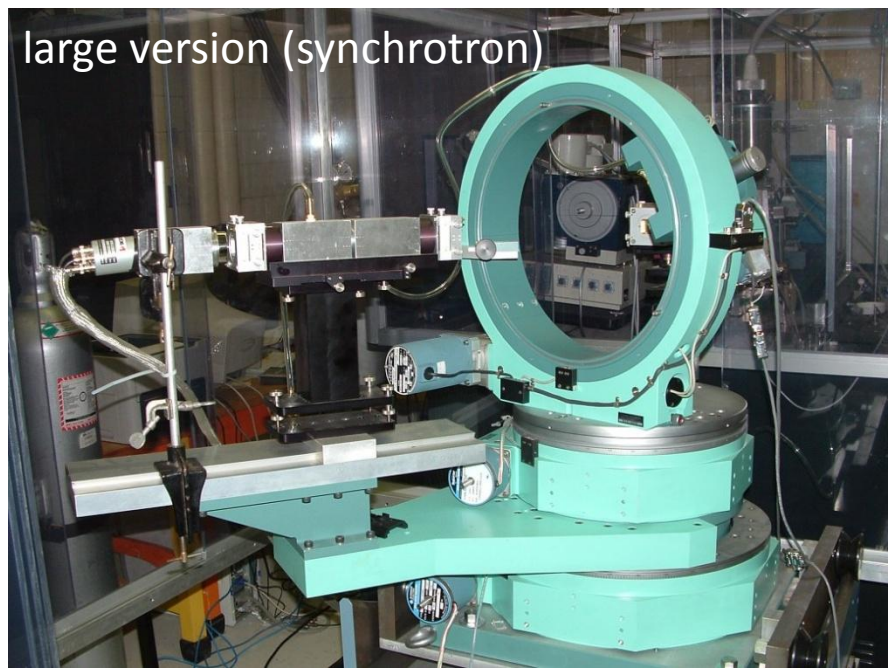


Four circle diffractometer
(Eulerian cradle)

small version (lab)



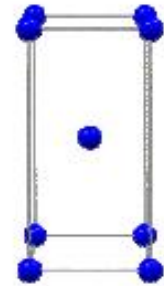
large version (synchrotron)



Beispiel : Ca_2RuO_4

Raumgruppe $I4/mmm$: Auslöschungsbedingungen

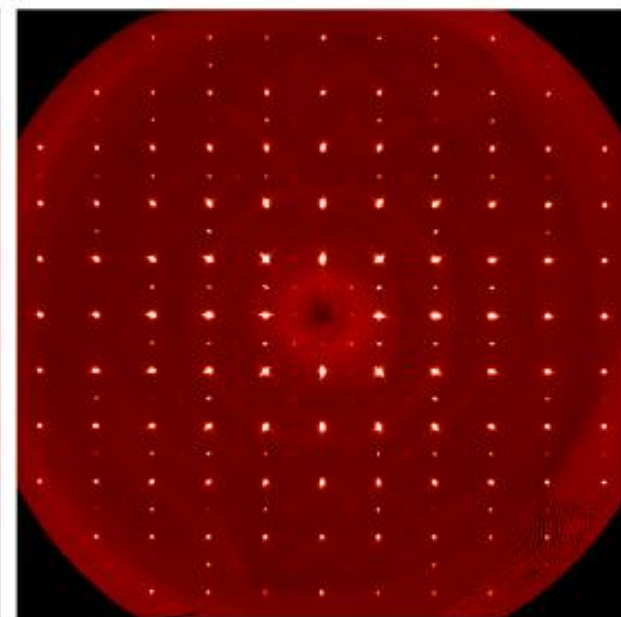
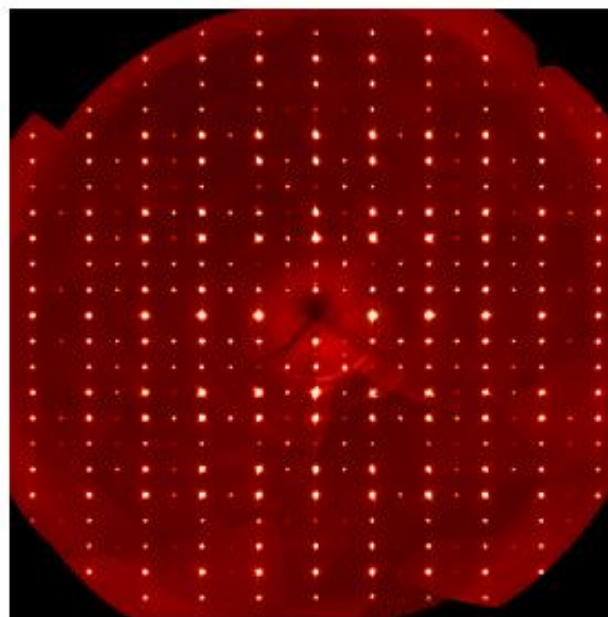
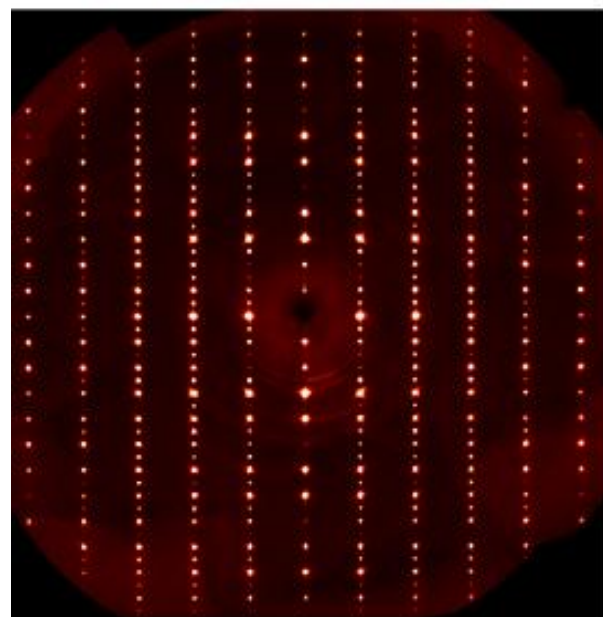
Überstruktur durch Oktaederverkippung



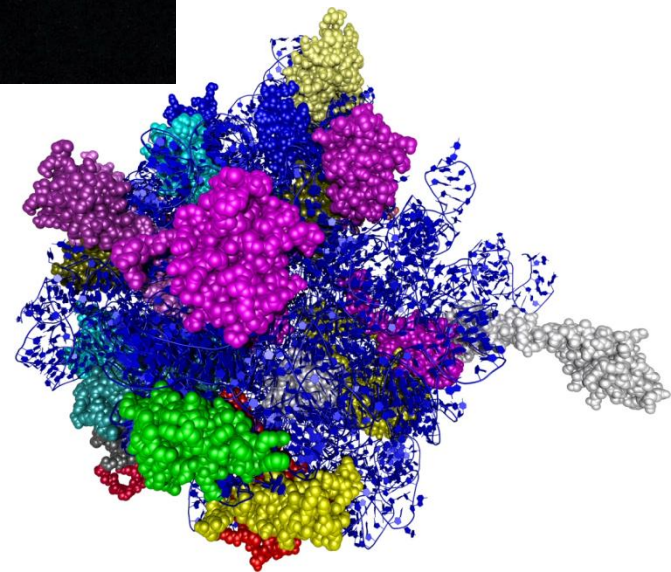
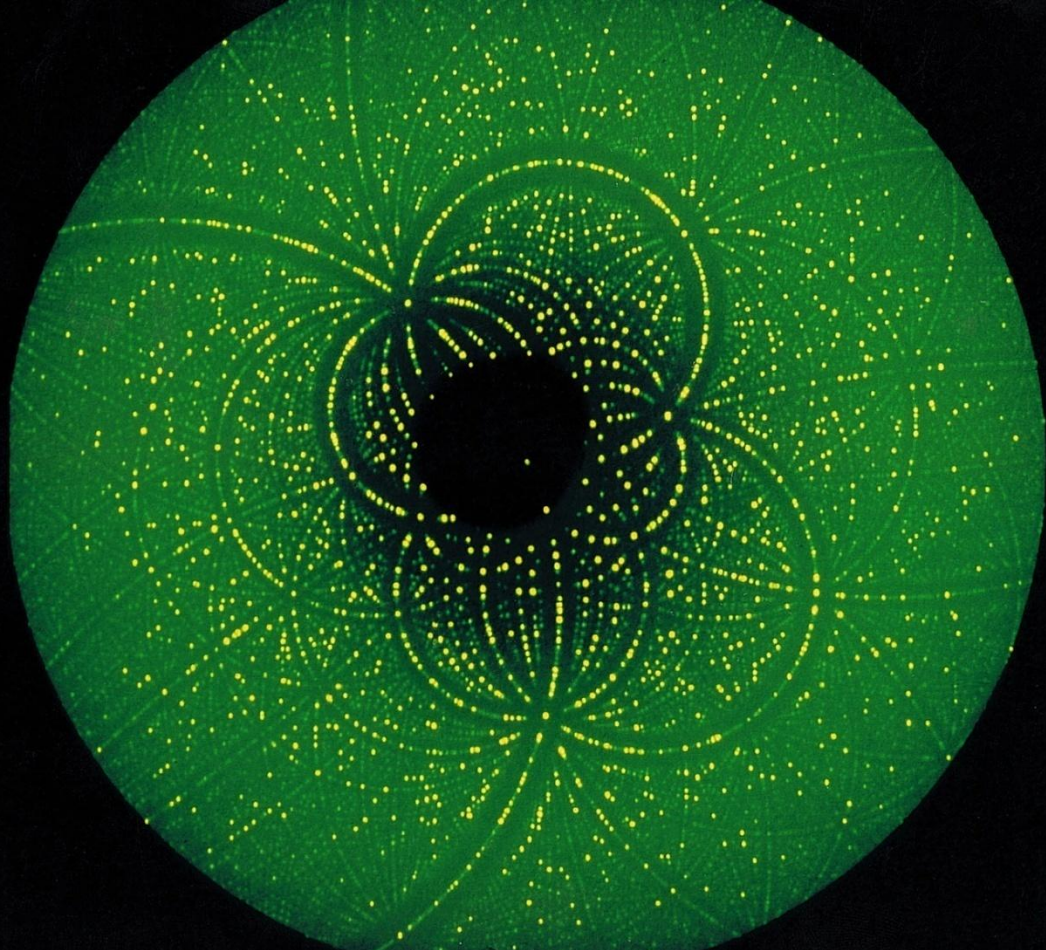
0kl

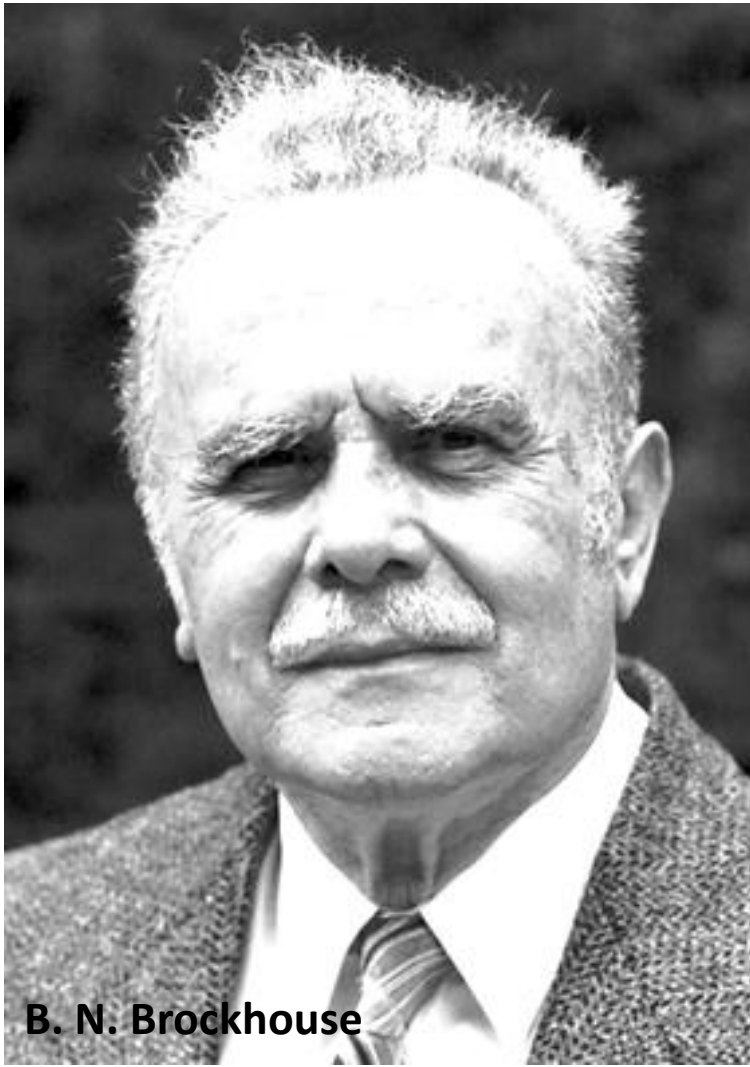
h0l

hk0



Streukarten entsprechend unterschiedlichen Ebenen im reziproken Raum. Man erkennt starke Fundamental-Reflexe und schwache Überstrukturen aufgrund der strukturellen Verzerrung.





B. N. Brockhouse



C. G. Shull

Nobel price in physics 1994 *"for pioneering contributions to the development of neutron scattering techniques for studies of condensed matter"* jointly with one half to Bertram N. Brockhouse *"for the development of neutron spectroscopy"* and with one half to Clifford G. Shull *"for the development of the neutron diffraction technique"* **(work done in the 1950s-1960s)**

Neutrons



Neutrons are **NEUTRAL** particles. They

- are highly penetrating,
- can be used as nondestructive probes, and
- can be used to study samples in severe environments.



Neutrons have a **MAGNETIC** moment. They can be used to

- study microscopic magnetic structure,
- study magnetic fluctuations, and
- develop magnetic materials.



Neutrons have **SPIN**. They can be

- formed into polarized neutron beams,
- used to study nuclear (atomic) orientation, and
- used for coherent and incoherent scattering.



The **ENERGIES** of thermal neutrons are similar to the energies of elementary excitations in solids. Both have similar

- molecular vibrations,
- lattice modes, and
- dynamics of atomic motion.



The **WAVELENGTHS** of neutrons are similar to atomic spacings. They can determine

- structural sensitivity,
- structural information from 10^{-13} to 10^{-4} cm, and
- crystal structures and atomic spacings.



Neutrons "see" **NUCLEI**. They

- are sensitive to light atoms,
- can exploit isotopic substitution, and
- can use contrast variation to differentiate complex molecular structures.

$$M_n = 1.674928 \cdot 10^{-27} \text{kg}$$

$$= 1.001 M_{\text{Proton}}$$

$$\tau = 885 \text{ s } (\beta \text{ decay})$$

$$n \rightarrow p + e^- + \nu_e + 0.78 \text{ MeV}$$

$$n: \quad E = h^2 / 2M_n \lambda^2 = 81.1 \text{ meV} / \lambda^2$$

$$\text{photon: } E = hf = hc / \lambda = 12398 \text{ eV} / \lambda$$

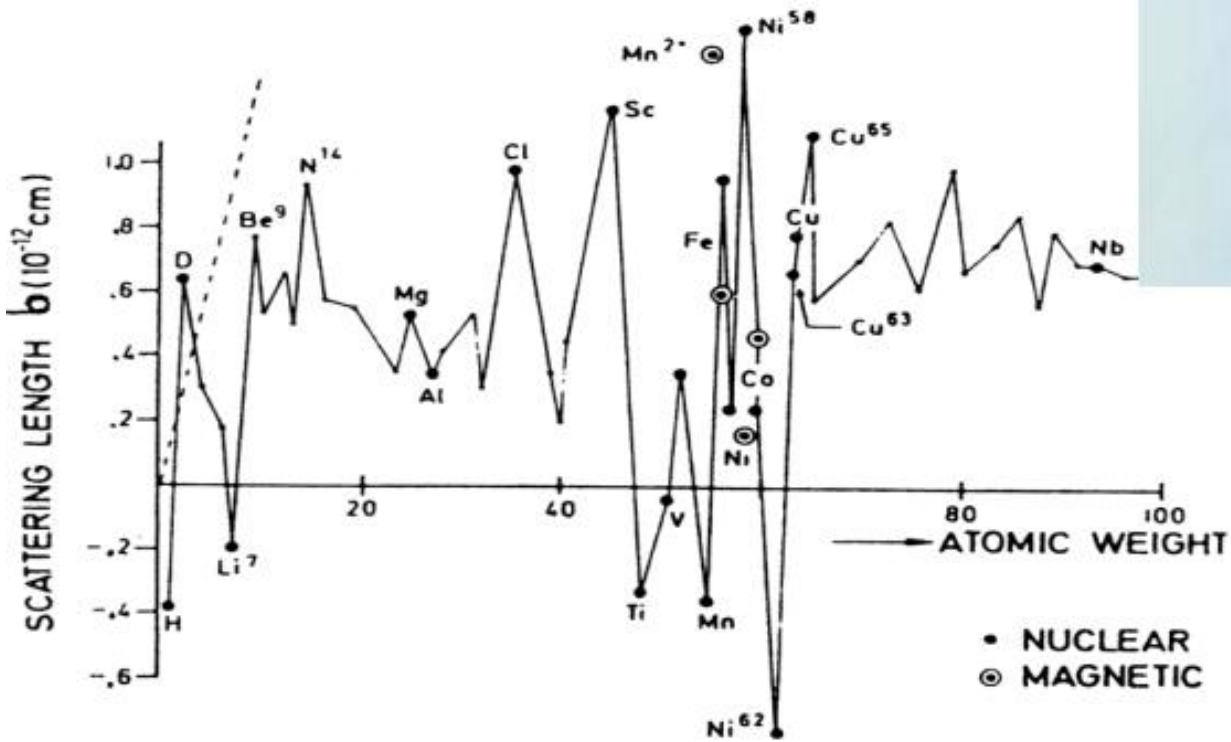
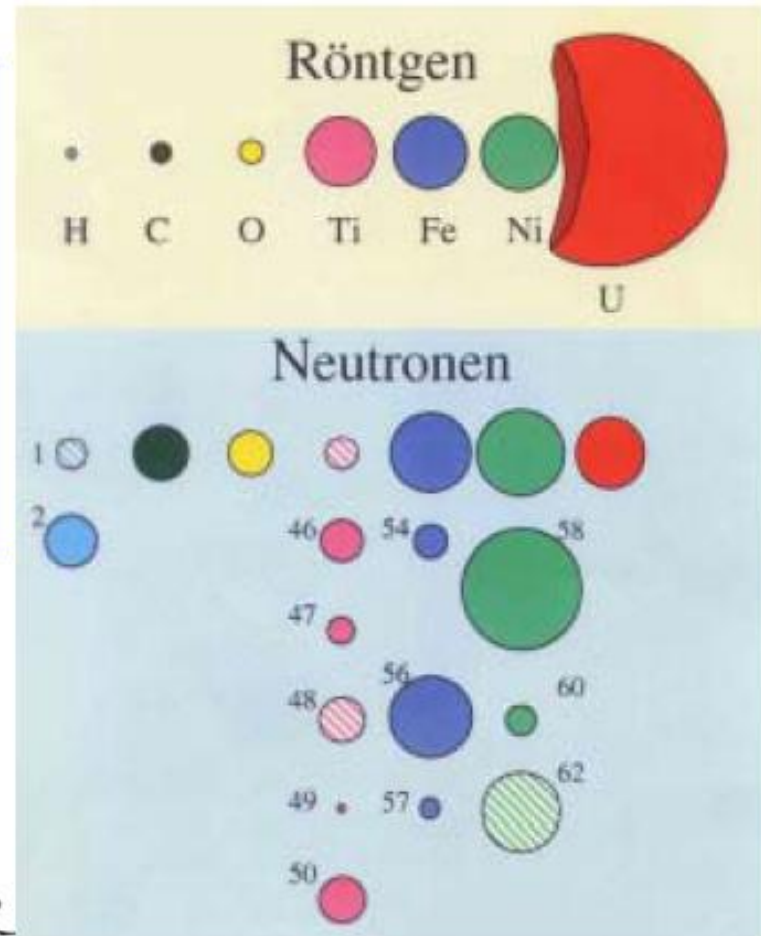
$$k = 2\pi / \lambda \quad p = h / \lambda$$

units:

$$1 \text{ meV} = 11.6 \text{ K} = 8.066 / \text{cm} = 0.241 \text{ THz}$$

	$\lambda[\text{\AA}]$	$k[1/\text{\AA}]$	$v(\text{m/s})$	E	best $\Delta E/E$
Photon light	5000	10^{-3}	$3 \cdot 10^8$	eV	10^{-8}
X-ray	1	1	$3 \cdot 10^8$	keV	10^{-6}
electron	1	1	$6 \cdot 10^7$	150eV	10^{-5}
neutron	1	1	400	meV	10^{-6}

- Neutronen sind neutral ($Q < 10^{-20}e$)
- Wechselwirkung mit den Atomkernen
 - lokal
 - nicht direkt von Z abhängig
- **Bestimmung leichter und schwerer Atome !!!**



Neutrons – Photons

Neutrons:

Particle beam (neutral)

$$E = \frac{h^2}{2m_N \lambda^2} = 81.1 \text{ meV} / \lambda^2$$

Low brilliance (particles/cm²/sr/meV)

Interactions with the nuclei and the magnetic moment of unpaired electrons

Scattered by all elements, also the light ones like the hydrogen isotopes

Deep penetration depth (bulk studies of samples)

Less intense beam measuring larger samples

Applications:

Magnetic structures & excitations, critical scattering

Photons:

Light beam

$$E = hf = hc/\lambda = 12398 \text{ eV} / \lambda$$

High brilliance

Interactions with the electrons surrounding the nuclei

Mainly scattered by heavy elements

Small penetration depth (surface studies of samples)

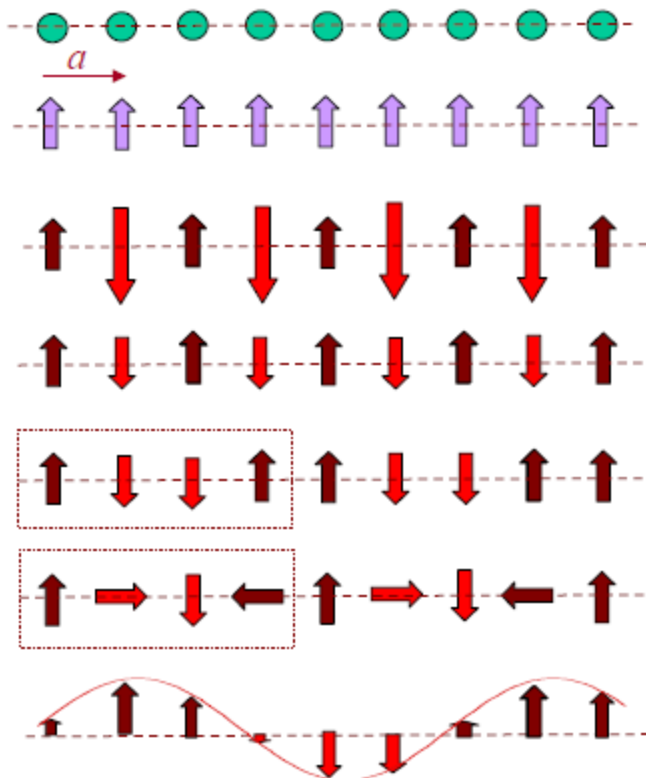
Very intense beam measuring small or ultra-dilute samples

Applications:

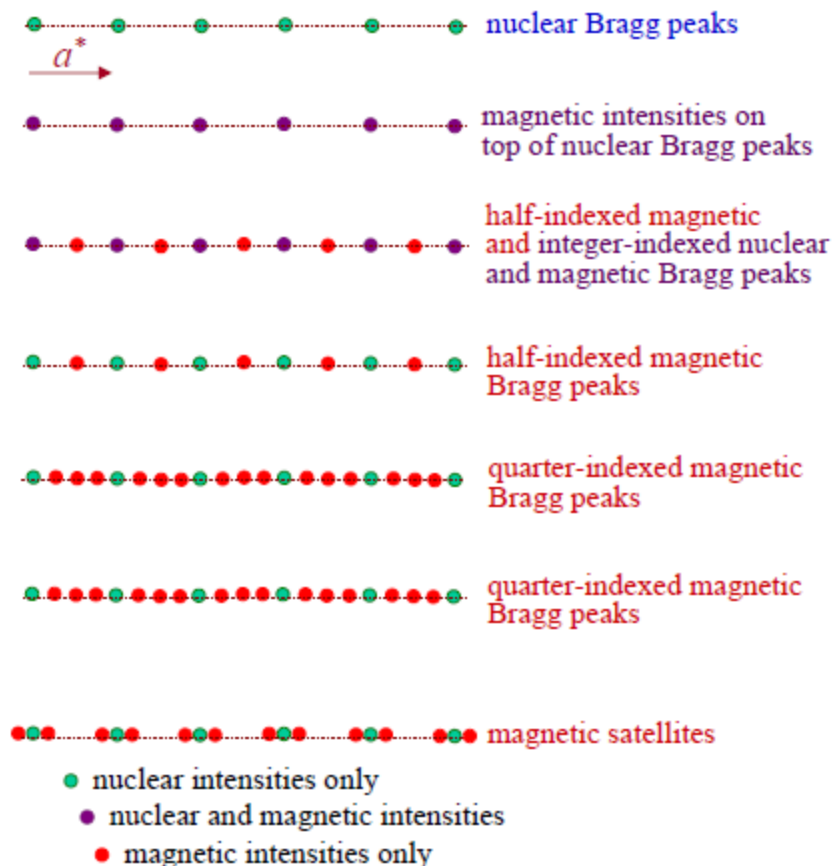
Surface studies, element and shell sensitive resonant magnetic scattering, magnetic dichroism, magnetic Materials with high neutron absorption

Where do the Magnetic Reflections appear? assuming one atom per unit cell

Configuration in Real Space



Diffraction Pattern in Reciprocal Space



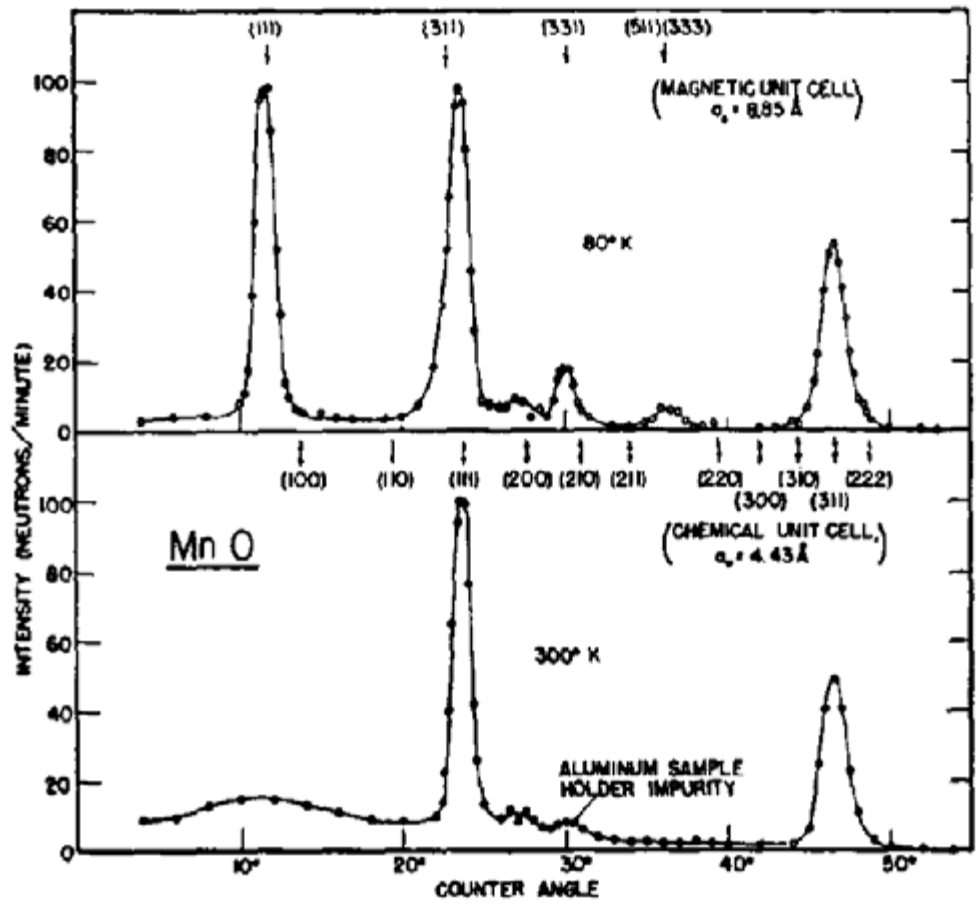


FIG. 1. Neutron diffraction patterns for MnO at room temperature and at 80°K.